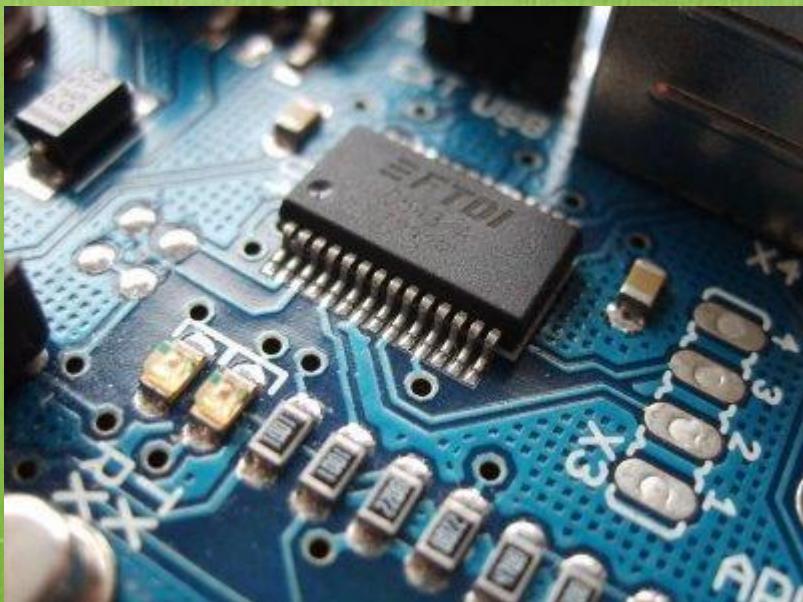


# ELEKTRONIKA TELEKOMUNIKASI



## SMALL-SIGNAL RF AMPLIFIER (RF CURRENT AMPLIFIER)



By : Dwi Andi Nurmantris

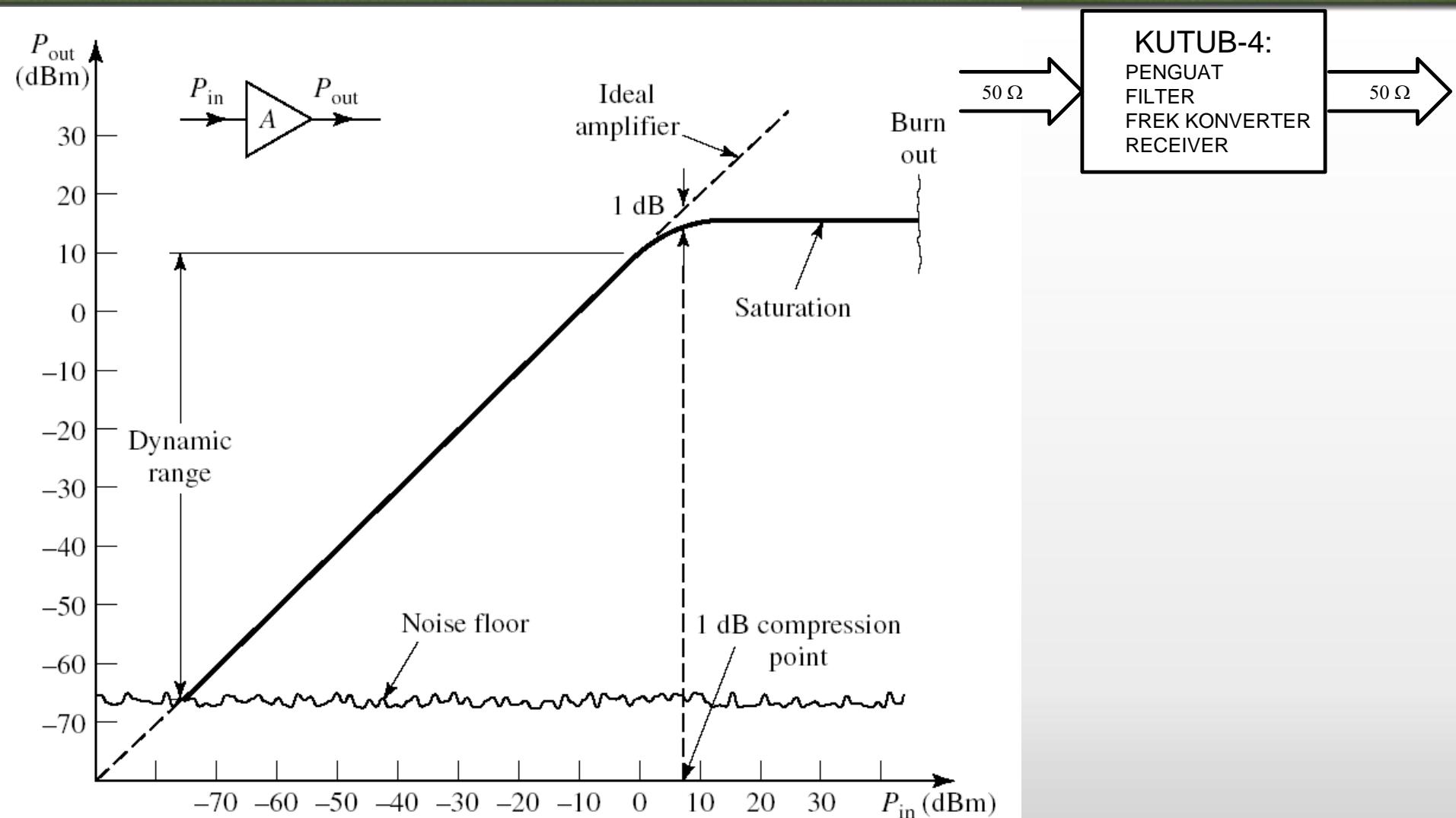
# Small-Signal RF Amplifier

## Agenda

- Model penguat
- Definisi parameter s dan konversi dari parameter y, z, h ke parameter s
- Definisi faktor-faktor penguatan
- Kemantapan penguat RF
- Lingkaran/daerah kemantapan penguat pada Smith Cart
- Perancangan Penguat dengan Gain Maksimum
- Perancangan Penguat dengan Operating Power Gain Ditentukan
- Perancangan Penguat dengan Available Power Gain Ditentukan
- Perancangan Penguat dengan VSWR Ditentukan
- Perancangan Penguat dengan Noise Figure Ditentukan

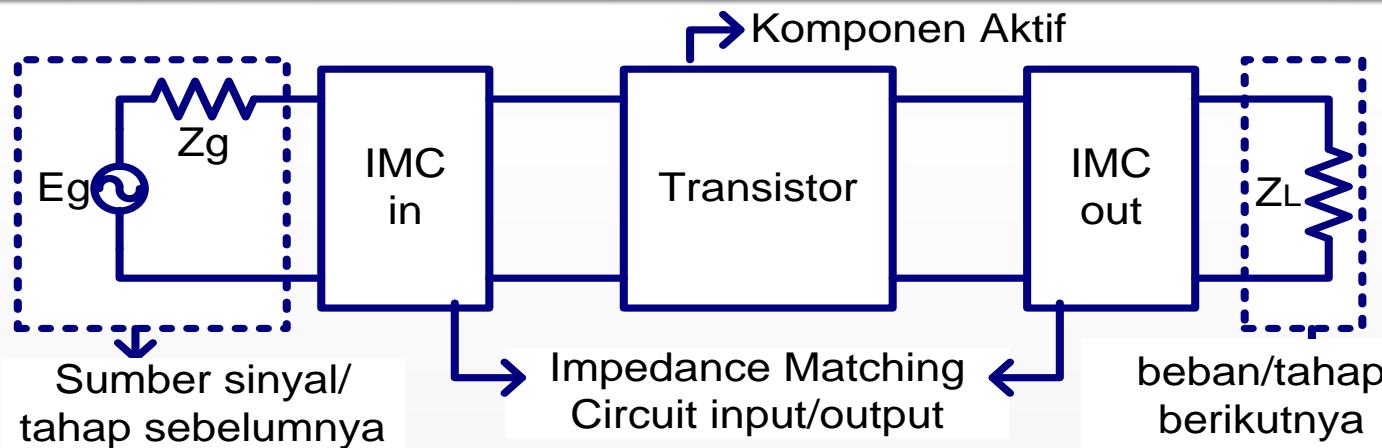
# Small-Signal RF Amplifier

## Model Sistem (Linear)

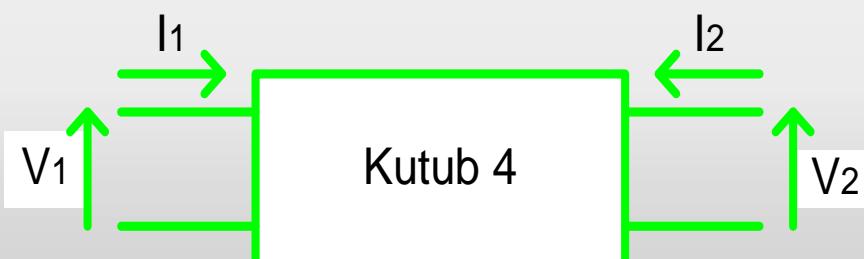


# Small-Signal RF Amplifier

Penguat frekuensi tinggi SATU TAHAP dapat dimodelkan sebagai berikut :



Tampak bahwa sistem dapat dipandang sebagai hubungan kaskade dari kutub-4, sehingga pada umumnya metoda analisis yang dapat digunakan untuk mempelajari perilaku suatu penguat adalah dengan menggunakan parameter satu kutub empat.



Parameter Kutub 4 :

1. Parameter Z, Y, H, ABCD (frekuensi rendah)
2. Parameter S (frekuensi rendah sampai tinggi)

# Small-Signal RF Amplifier

## Parameter Z, Parameter Y, Parameter H, dan Parameter ABCD

Parameter Z

$$\begin{bmatrix} V_1 \\ V_2 \end{bmatrix} = \begin{bmatrix} Z_{11} & Z_{12} \\ Z_{21} & Z_{22} \end{bmatrix} \cdot \begin{bmatrix} i_1 \\ i_2 \end{bmatrix}$$

Parameter Y

$$\begin{bmatrix} i_1 \\ i_2 \end{bmatrix} = \begin{bmatrix} Y_{11} & Y_{12} \\ Y_{21} & Y_{22} \end{bmatrix} \cdot \begin{bmatrix} V_1 \\ V_2 \end{bmatrix}$$

Parameter H

$$\begin{bmatrix} V_1 \\ i_2 \end{bmatrix} = \begin{bmatrix} h_{11} & h_{12} \\ h_{21} & h_{22} \end{bmatrix} \cdot \begin{bmatrix} i_1 \\ V_2 \end{bmatrix}$$

Parameter ABCD

$$\begin{bmatrix} V_1 \\ i_1 \end{bmatrix} = \begin{bmatrix} A & B \\ C & D \end{bmatrix} \cdot \begin{bmatrix} V_2 \\ -i_2 \end{bmatrix}$$

Parameter-parameter tersebut diatas mudah diukur pada frekuensi rendah, karena pengukurannya membutuhkan BEBAN HUBUNG SINGKAT dan/atau BEBAN TERBUKA, yang mudah diperoleh pada frekuensi RENDAH.

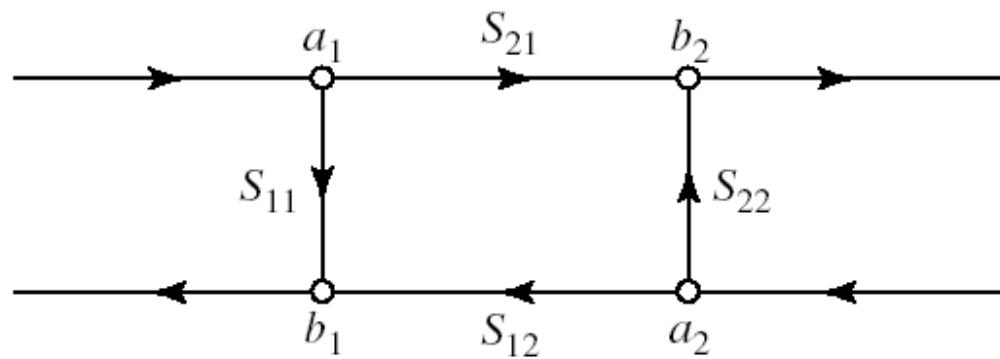
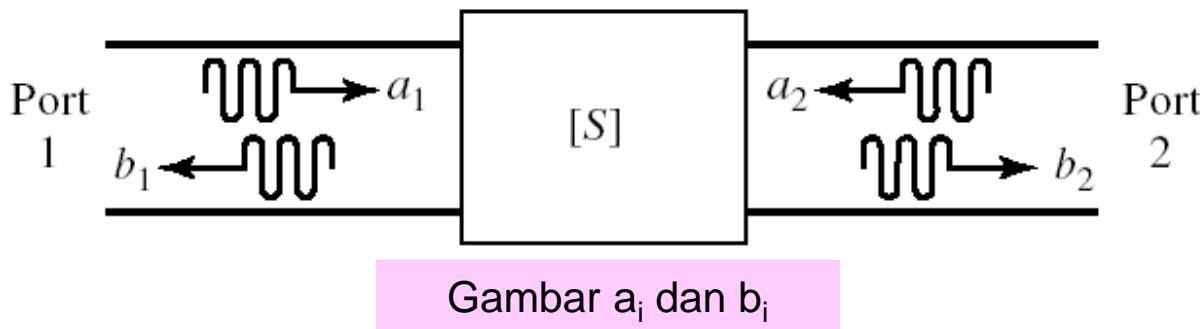
Pada frekuensi tinggi, parameter Z(impedansi), H(hybrid), Y(admitansi) atau ABCD sangat sulit (tidak mungkin) DIUKUR, karena :

1. Penggunaan beban terbuka/tertutup (hubung singkat) dapat menyebabkan komponen aktif yang digunakan tidak stabil (OSILASI)
2. Pada frekuensi tinggi sulit memperoleh beban TERBUKA/TERTUTUP dengan range bidang frekuensi yang lebar (wilayah operasi frekuensi yang lebar)

# Small-Signal RF Amplifier

## Parameter S

Maka digunakan Parameter S (Scattering Parameter):



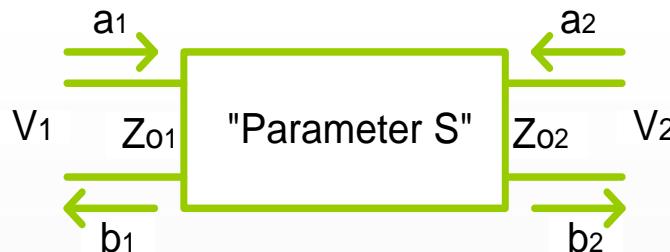
Signal flow graph

Dimana:  $i = 1$ (port 1) atau  $2$  (port 2)

$$a_i = \frac{V_i^+}{\sqrt{Z_{oi}}} = \text{gelombang datang} \quad b_i = \frac{V_i^-}{\sqrt{Z_{oi}}} = \text{gelombang pantul}$$

# Small-Signal RF Amplifier

## Parameter S



$$\begin{bmatrix} b_1 \\ b_2 \end{bmatrix} = \begin{bmatrix} S_{11} & S_{12} \\ S_{21} & S_{22} \end{bmatrix} \cdot \begin{bmatrix} a_1 \\ a_2 \end{bmatrix}$$

$$S_{11} = S_i = \frac{b_1}{a_1} \Bigg|_{a_2 = 0}$$

→ koefisien refleksi masukan dengan keluaran K-4 ditutup beban sesuai (match)

$$S_{21} = S_f = \frac{b_2}{a_1} \Bigg|_{a_2 = 0}$$

→ koefisien transmisi maju dengan keluaran K-4 ditutup beban sesuai

$$S_{22} = S_o = \frac{b_2}{a_2} \Bigg|_{a_1 = 0}$$

→ koefisien refleksi keluaran dengan masukan K-4 ditutup beban sesuai

$$S_{12} = S_r = \frac{b_1}{a_2} \Bigg|_{a_1 = 0}$$

→ koefisien transmisi balik dengan masukan K-4 ditutup beban sesuai

# Small-Signal RF Amplifier

Hubungan parameter s dan parameter y

s-parameters in terms of y-parameters	y-parameters in terms of s-parameters
$s_{11} = \frac{(1 - y_{11})(1 + y_{22}) + y_{12}y_{21}}{(1 + y_{11})(1 + y_{22}) - y_{12}y_{21}}$ $s_{12} = \frac{-2y_{12}}{(1 + y_{11})(1 + y_{22}) - y_{12}y_{21}}$ $s_{21} = \frac{-2y_{21}}{(1 + y_{11})(1 + y_{22}) - y_{12}y_{21}}$ $s_{22} = \frac{(1 + y_{11})(1 - y_{22}) + y_{12}y_{21}}{(1 + y_{11})(1 + y_{22}) - y_{12}y_{21}}$	$y_{11} = \frac{(1 + s_{22})(1 - s_{11}) + s_{12}s_{21}}{(1 + s_{11})(1 + s_{22}) - s_{12}s_{21}}$ $y_{12} = \frac{-2s_{12}}{(1 + s_{11})(1 + s_{22}) - s_{12}s_{21}}$ $y_{21} = \frac{-2s_{21}}{(1 + s_{11})(1 + s_{22}) - s_{12}s_{21}}$ $y_{22} = \frac{(1 + s_{11})(1 - s_{22}) + s_{12}s_{21}}{(1 + s_{11})(1 + s_{22}) - s_{12}s_{21}}$

S Y

# Small-Signal RF Amplifier

Hubungan parameter s dan parameter z

s-parameters in terms of z-parameters	z-parameters in terms of s-parameters
$s_{11} = \frac{(z_{11}-1)(z_{22}+1) - z_{12}z_{21}}{(z_{11}+1)(z_{22}+1) - z_{12}z_{21}}$	$z_{11} = \frac{(1+s_{11})(1-s_{22}) + s_{12}s_{21}}{(1-s_{11})(1-s_{22}) - s_{12}s_{21}}$
$s_{12} = \frac{2z_{12}}{(z_{11}+1)(z_{22}+1) - z_{12}z_{21}}$	$z_{12} = \frac{2s_{12}}{(1-s_{11})(1-s_{22}) - s_{12}s_{21}}$
$s_{21} = \frac{2z_{21}}{(z_{11}+1)(z_{22}+1) - z_{12}z_{21}}$	$z_{21} = \frac{2s_{21}}{(1-s_{11})(1-s_{22}) - s_{12}s_{21}}$
$s_{22} = \frac{(z_{11}+1)(z_{22}-1) - z_{12}z_{21}}{(z_{11}+1)(z_{22}+1) - z_{12}z_{21}}$	$z_{22} = \frac{(1+s_{22})(1-s_{11}) + s_{12}s_{21}}{(1-s_{11})(1-s_{22}) - s_{12}s_{21}}$

S

Z

# Small-Signal RF Amplifier

Hubungan parameter s dan parameter h

s-parameters in terms of h-parameters	h-parameters in terms of s-parameters
$s_{11} = \frac{(h_{11} - 1)(h_{22} + 1) - h_{12}h_{21}}{(h_{11} + 1)(h_{22} + 1) - h_{12}h_{21}}$	$h_{11} = \frac{(1 + s_{11})(1 + s_{22}) - s_{12}s_{21}}{(1 - s_{11})(1 + s_{22}) + s_{12}s_{21}}$
$s_{12} = \frac{2h_{12}}{(h_{11} + 1)(h_{22} + 1) - h_{12}h_{21}}$	$h_{12} = \frac{2s_{12}}{(1 - s_{11})(1 + s_{22}) + s_{12}s_{21}}$
$s_{21} = \frac{-2h_{21}}{(h_{11} + 1)(h_{22} + 1) - h_{12}h_{21}}$	$h_{21} = \frac{-2s_{21}}{(1 - s_{11})(1 + s_{22}) + s_{12}s_{21}}$
$s_{22} = \frac{(1 + h_{11})(1 - h_{22}) + h_{12}h_{21}}{(h_{11} + 1)(h_{22} + 1) - h_{12}h_{21}}$	$h_{22} = \frac{(1 - s_{22})(1 - s_{11}) - s_{12}s_{21}}{(1 - s_{11})(1 + s_{22}) + s_{12}s_{21}}$



# Small-Signal RF Amplifier

Denormalisasi parameter h, y dan z

The h-, y-, and z-parameters listed in previous tables are all normalized to  $Z_0$ .  
If  $h'$ ,  $y'$ ,  $z'$  are the actual parameters, then:

$$z'_{11} = z_{11}Z_0$$

$$y'_{11} = y_{11} / Z_0$$

$$h'_{11} = h_{11}Z_0$$

$$z'_{12} = z_{12}Z_0$$

$$y'_{12} = y_{12} / Z_0$$

$$h'_{12} = h_{12}$$

$$z'_{21} = z_{21}Z_0$$

$$y'_{21} = y_{21} / Z_0$$

$$h'_{21} = h_{21}$$

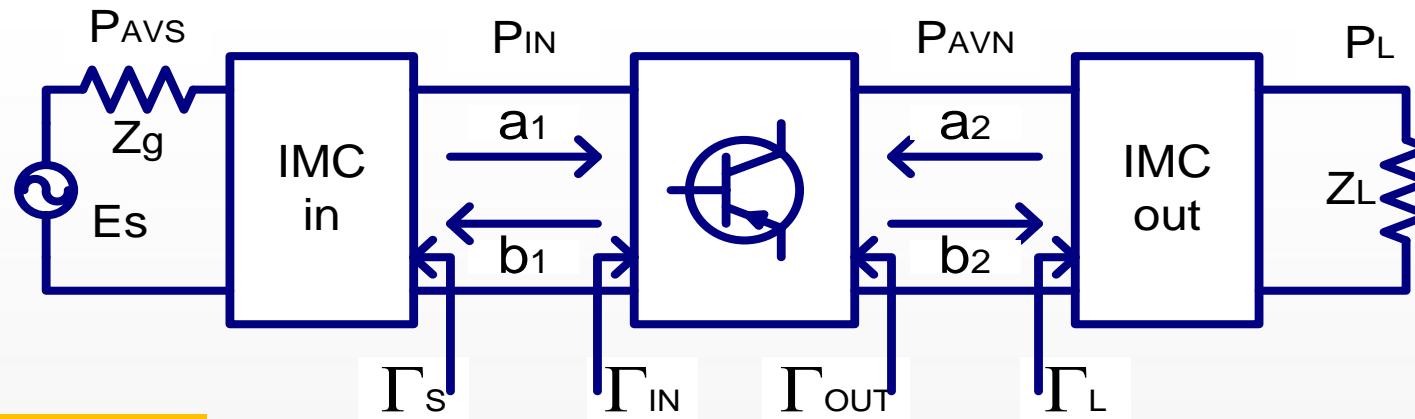
$$z'_{22} = z_{22}Z_0$$

$$y'_{22} = y_{22} / Z_0$$

$$h'_{22} = h_{22} / Z_0$$

# Small-Signal RF Amplifier

## FAKTOR PENGUATAN PENGUAT RF



Faktor Penguatan :

### 1. Transducer Power Gain (GT)

$$G_T = \frac{P_L}{P_{AVS}} = \frac{\text{Daya yang diberikan ke beban}}{\text{Daya yang tersedia pada sumber sinyal}}$$

### 2. Operating Power Gain (GP)

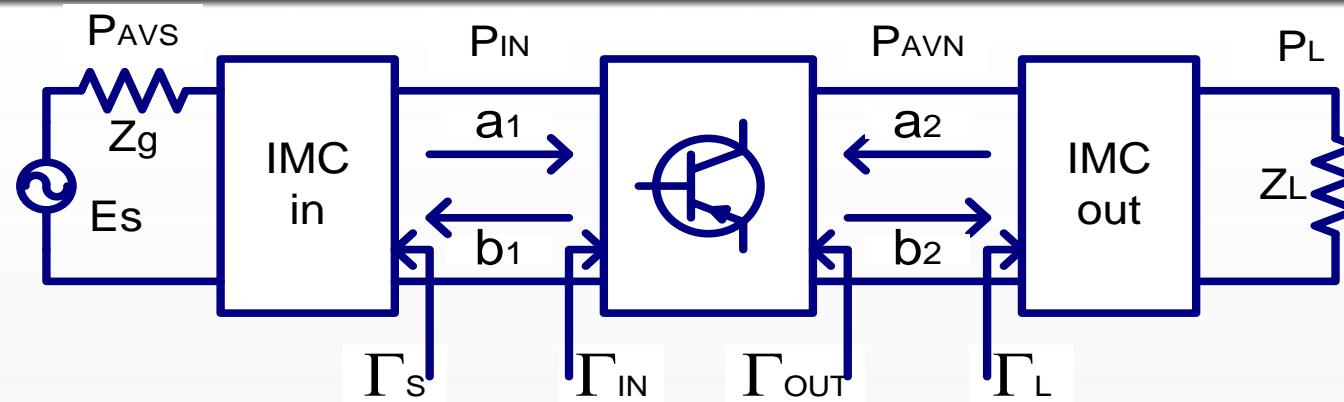
$$G_P = \frac{P_L}{P_{IN}} = \frac{\text{Daya yang diberikan ke beban}}{\text{Daya yang diberikan ke transistor}}$$

### 3. Available Power Gain (GA)

$$G_A = \frac{P_{AVN}}{P_{AVS}} = \frac{\text{Daya tersedia dari transistor}}{\text{Daya yang tersedia pada sumber sinyal}}$$

# Small-Signal RF Amplifier

## FAKTOR PENGUATAN PENGUAT RF



$$\left. \begin{array}{l} b_1 = S_{11}.a_1 + S_{12}.a_2 \\ b_2 = S_{21}.a_1 + S_{22}.a_2 \\ \Gamma_L = \frac{a_2}{b_2} \rightarrow a_2 = \Gamma_L.b_2 \end{array} \right\} \rightarrow b_1 = S_{11}.a_1 + S_{12}.\Gamma_L.b_2 = S_{11}.a_1 + \frac{S_{12}.S_{21}\Gamma_L}{1 - S_{22}\Gamma_L} . a_1$$

$$\Gamma_{IN} = \frac{b_1}{a_1} \rightarrow \Gamma_{IN} = S_{11} + \frac{S_{12}S_{21}\Gamma_L}{1 - S_{22}\Gamma_L}$$

$$\Gamma_{OUT} = \left. \frac{b_2}{a_2} \right|_{E_S=0}$$

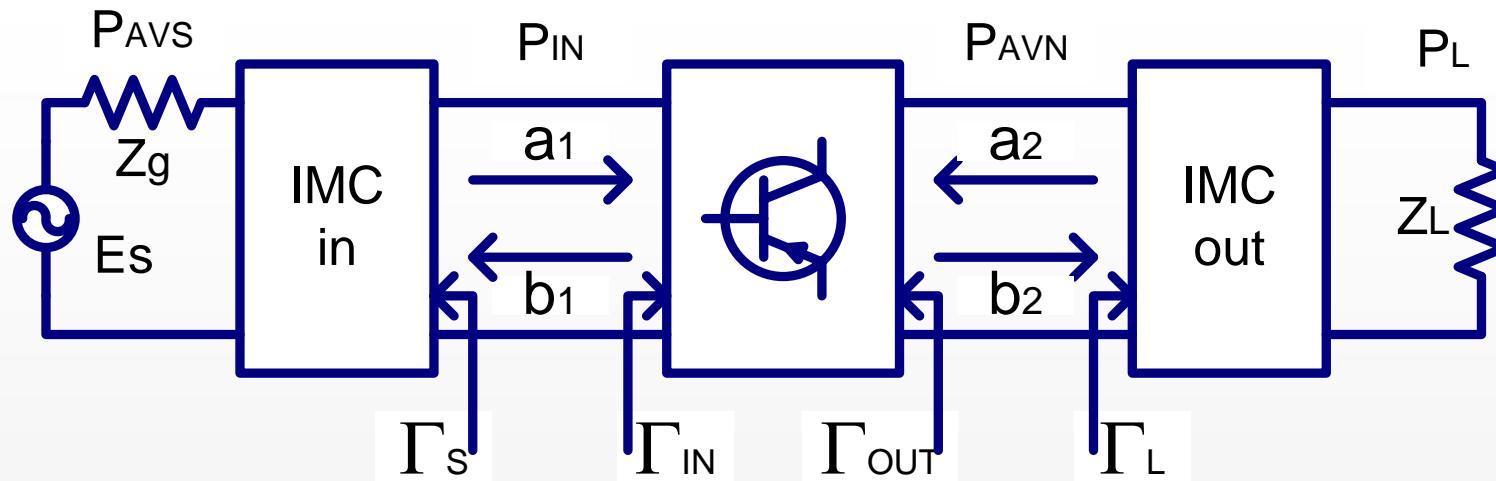
$$E_S = 0 \rightarrow a_1 = \Gamma_S.b_1$$

$$b_1 = S_{11}.\Gamma_S.b_1 + S_{12}.a_2 \rightarrow$$

$$b_1 = \frac{S_{12}.a_2}{1 - S_{11}.\Gamma_S}$$

# Small-Signal RF Amplifier

## FAKTOR PENGUATAN PENGUAT RF



$$b_2 = S_{21} \cdot \Gamma_s \cdot b_1 + S_{22} \cdot a_2 = \frac{S_{12} \cdot S_{21} \cdot \Gamma_s}{1 - S_{11} \cdot \Gamma_s} a_2 + S_{22} \cdot a_2$$

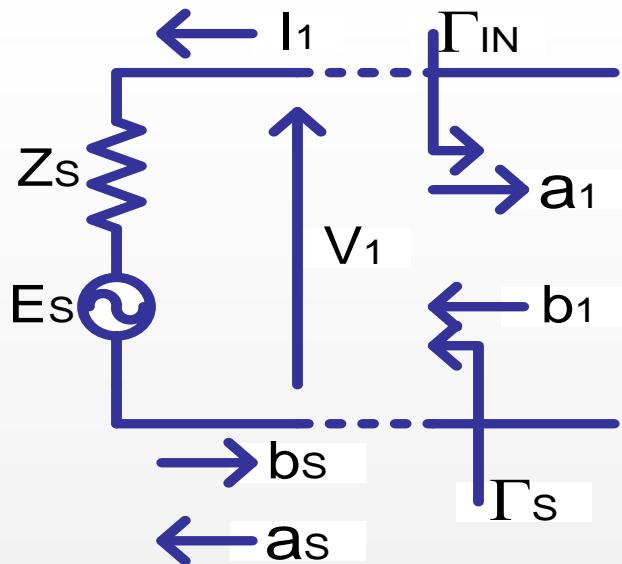
$$\Gamma_{\text{OUT}} = \left. \frac{b_2}{a_2} \right|_{E_S = 0} = S_{22} + \frac{S_{12} \cdot S_{21} \cdot \Gamma_s}{1 - S_{11} \cdot \Gamma_s}$$

$$P_{\text{IN}} = \frac{1}{2} |a_1|^2 - \frac{1}{2} |b_1|^2 = \frac{1}{2} |a_1|^2 \cdot (1 - |\Gamma_{\text{IN}}|^2)$$

# Small-Signal RF Amplifier

## FAKTOR PENGUATAN PENGUAT RF

RANGKAIAN MASUKAN:



$$V_1 = E_S + I_1 \cdot Z_s$$

$$\text{Bila : } a_1 = \frac{V_1^-}{\sqrt{Z_o}}$$

$$b_s = \frac{E_S \sqrt{Z_o}}{Z_s + Z_o}$$

$$\left. \begin{array}{l} a_1 = b_s + \Gamma_s \cdot b_1 \\ b_1 = \Gamma_{IN} \cdot a_1 \end{array} \right\} \rightarrow$$

$$P_{IN} = \frac{1}{2} |b_s|^2 \cdot \frac{1 - |\Gamma_{IN}|^2}{|1 - \Gamma_s \cdot \Gamma_{IN}|^2}$$

$$b_1 = \frac{V_1^+}{\sqrt{Z_o}}$$

$$\Gamma_s = \frac{Z_s - Z_o}{Z_s + Z_o}$$

$$\begin{aligned} a_1 &= b_s + \Gamma_s \cdot \Gamma_{IN} \cdot a_1 \\ a_1 &= \frac{b_s}{1 - \Gamma_s \cdot \Gamma_{IN}} \end{aligned}$$

Daya yang tersedia pada sumber sinyal ( $P_{AVS}$ ) = Daya masukan transistor ( $P_{IN}$ ), bila  $\Gamma_{IN} = \Gamma_s^*$ , sehingga :

$$P_{AVS} = P_{IN} \Big| \Gamma_{IN} = \Gamma_s^* = \frac{\frac{1}{2} |b_s|^2}{1 - |\Gamma_s|^2}$$

atau  $P_{IN} = P_{AVS} \cdot M_s$

dimana:

$$P_{IN} = P_{AVS} \cdot \frac{(1 - |\Gamma_s|^2) \cdot (1 - |\Gamma_{IN}|^2)}{|1 - \Gamma_s \cdot \Gamma_{IN}|^2}$$

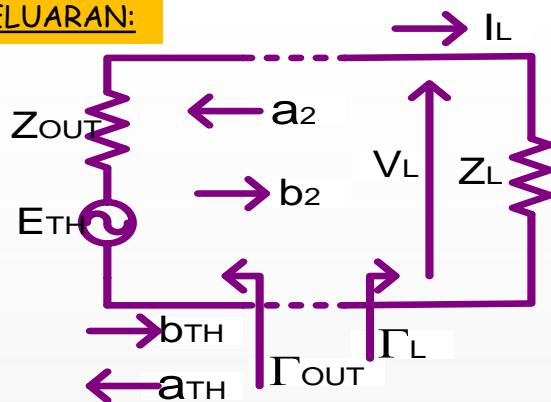
$$M_s = \frac{(1 - |\Gamma_s|^2) \cdot (1 - |\Gamma_{IN}|^2)}{|1 - \Gamma_s \cdot \Gamma_{IN}|^2}$$

$M_s$  = Source Mismatch Factor

# Small-Signal RF Amplifier

## FAKTOR PENGUATAN PENGUAT RF

RANGKAIAN KELUARAN:



$$V_L = E_{TH} - I_L \cdot Z_{OUT}$$

$$\text{Bila : } b_2 = \frac{V_L^-}{\sqrt{Z_o}}$$

$$a_2 = \frac{V_L^+}{\sqrt{Z_o}}$$

$$b_{TH} = \frac{E_{TH} \sqrt{Z_o}}{Z_{OUT} + Z_o}$$

$$\Gamma_{OUT} = \frac{Z_{OUT} - Z_o}{Z_{OUT} + Z_o}$$

$$b_2 = b_{TH} + \Gamma_{OUT} \cdot \Gamma_L \cdot b_2 \quad \text{dimana} \quad \Gamma_L \cdot b_2 = a_2 \rightarrow b_2 = \frac{b_{TH}}{1 - \Gamma_{OUT} \cdot \Gamma_L}$$

Daya yang diberikan ke BEBAN :

$$P_L = \frac{1}{2} |b_2|^2 - \frac{1}{2} |a_2|^2 = \frac{1}{2} |b_2|^2 \cdot (1 - |\Gamma_L|^2)$$

$$P_L = \frac{1}{2} |b_{TH}|^2 \cdot \frac{1 - |\Gamma_L|^2}{|1 - \Gamma_{OUT} \Gamma_L|^2}$$

Daya tersedia dari Kutub-4:

$$P_{AVN} = P_L, \text{ bila } \Gamma_L = \Gamma_{OUT}^*$$

$$P_{AVN} = P_L |_{\Gamma_L = \Gamma_{OUT}^*} = \frac{\frac{1}{2} |b_{TH}|^2}{1 - |\Gamma_{OUT}|^2}$$

$$P_L = P_{AVN} \cdot \frac{(1 - |\Gamma_L|^2) \cdot (1 - |\Gamma_{OUT}|^2)}{|1 - \Gamma_{OUT} \cdot \Gamma_L|^2}$$

atau  $P_L = P_{AVN} \cdot M_L$  dimana

$$M_L = \frac{(1 - |\Gamma_L|^2) \cdot (1 - |\Gamma_{OUT}|^2)}{|1 - \Gamma_{OUT} \cdot \Gamma_L|^2}$$

$M_L$  = Load Mismatch Factor

# Small-Signal RF Amplifier

## FAKTOR PENGUATAN PENGUAT RF

### OPERATING POWER GAIN (GP):

$$G_P = \frac{P_L}{P_{IN}} = \frac{\frac{1}{2} |b_2|^2 \cdot (1 - |\Gamma_L|^2)}{\frac{1}{2} |a_1|^2 \cdot (1 - |\Gamma_{IN}|^2)}$$

$$b_2 = \frac{S_{21} \cdot a_1}{1 - S_{22} \cdot r_L} \rightarrow$$

$$G_P = \frac{1}{1 - |\Gamma_{IN}|^2} |S_{21}|^2 \frac{1 - |\Gamma_L|^2}{|1 - S_{22} \cdot \Gamma_L|^2}$$

### TRANSDUCER POWER GAIN

$$G_T = \frac{P_L}{P_{AVS}} = \frac{P_L}{P_{IN}} \cdot \frac{P_{IN}}{P_{AVS}} = G_P \cdot \frac{P_{IN}}{P_{AVS}} = G_P \cdot M_S = \frac{1 - |\Gamma_s|^2}{|1 - \Gamma_s \cdot \Gamma_{IN}|^2} |S_{21}|^2 \frac{1 - |\Gamma_L|^2}{|1 - S_{22} \cdot \Gamma_L|^2}$$

atau

$$G_T = \frac{1 - |\Gamma_s|^2}{|1 - S_{11} \cdot \Gamma_s|^2} |S_{21}|^2 \frac{1 - |\Gamma_L|^2}{|1 - \Gamma_{OUT} \cdot \Gamma_L|^2}$$

### AVAILABLE POWER GAIN

$$G_A = \frac{P_{AVN}}{P_{AVS}} = \frac{P_L}{P_{AVS}} \cdot \frac{P_{AVN}}{P_L} = \frac{G_T}{M_L}$$

$$G_A = \frac{1 - |\Gamma_s|^2}{|1 - S_{11} \cdot \Gamma_s|^2} |S_{21}|^2 \frac{1}{|1 - \Gamma_{OUT}|^2}$$

# Small-Signal RF Amplifier

## Contoh Soal

- Transistor microwave mempunyai parameter “S” pada 10 GHz, dengan impedansi referensi ( $Z_0$ )  $50 \Omega$  sbb.:

$$S_{11}=0,45 < 150^\circ$$

$$S_{12}=0,01 < -10^\circ$$

$$S_{21}=2,05 < 10^\circ$$

$$S_{22}=0,40 < -150^\circ$$

Jika digunakan hambatan sumber  $Z_S=20 \Omega$  dan Hambatan beban sebesar  $Z_L=30 \Omega$ , hitunglah Operating power Gain, Available Power Gain, dan Transducer Power Gain!

Solusi:  $\Gamma_S=-0.429$ ,  $\Gamma_L=-0.250$

$$\Rightarrow \Gamma_{IN} = 0.455 \angle 150^\circ \text{ dan } \Gamma_{OUT} = 0.408 \angle -151^\circ$$

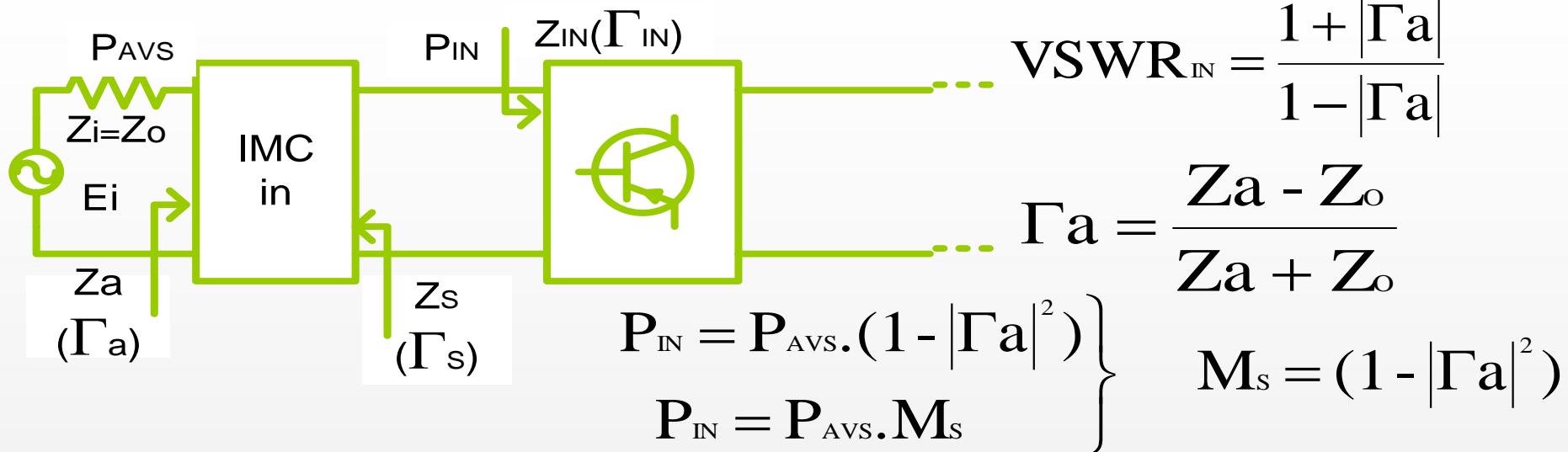
$$\Rightarrow G_P = 5.94$$

$$\Rightarrow G_A = 5.85$$

$$\Rightarrow G_T = 5.49$$

# Small-Signal RF Amplifier

## VSWR MASUKAN

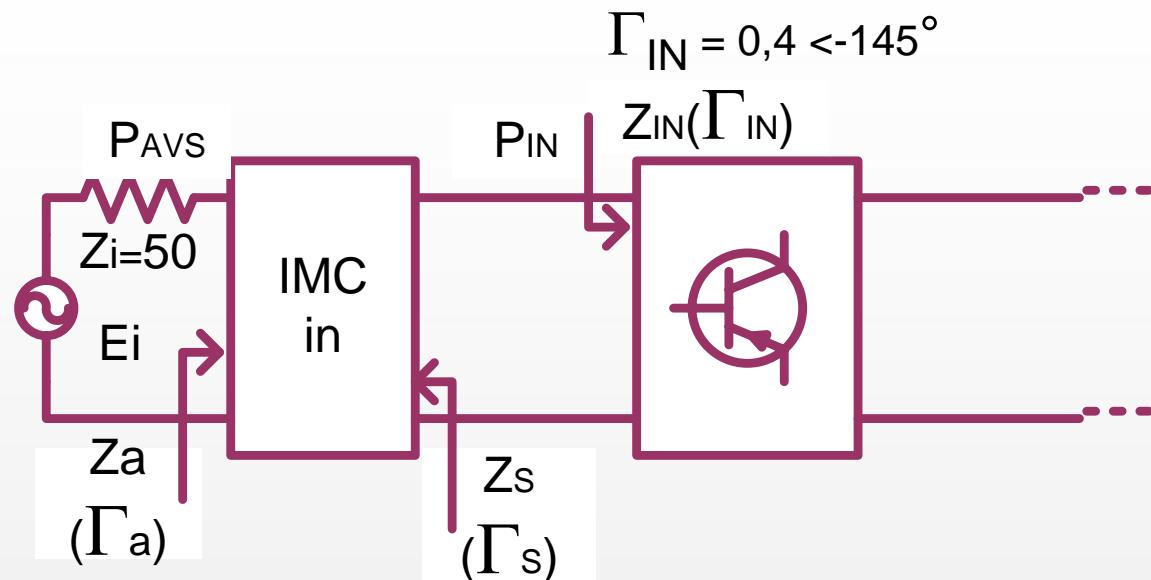


$$|\Gamma a| = \sqrt{1 - M_s}$$
$$M_s = \frac{(1 - |\Gamma_s|^2) \cdot (1 - |\Gamma_{IN}|^2)}{|1 - \Gamma_s \Gamma_{IN}|^2}$$

$$|\Gamma a| = \sqrt{1 - \frac{(1 - |\Gamma_s|^2) \cdot (1 - |\Gamma_{IN}|^2)}{|1 - \Gamma_s \Gamma_{IN}|^2}}$$
$$|\Gamma a| = \left| \frac{\Gamma_{IN} - \Gamma_s *}{1 - \Gamma_{IN} \Gamma_s} \right|$$

# Small-Signal RF Amplifier

## CONTOH SOAL



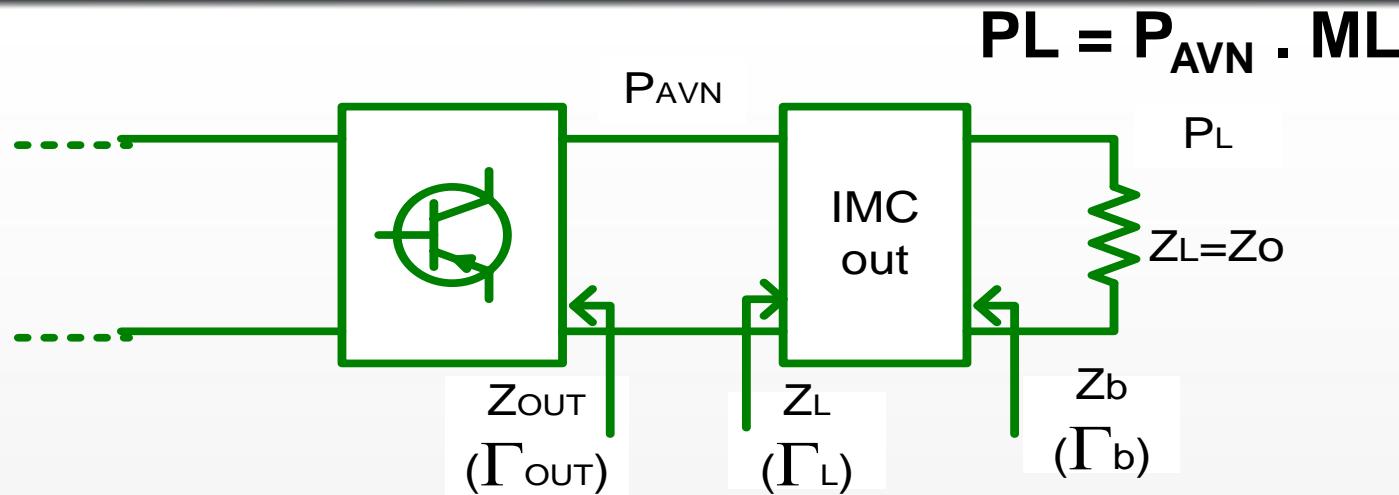
$$\Gamma_S = 0,614 < 160^\circ$$

Hitunglah : a.  $|\Gamma_a|$  (0.326)

b.  $VSWR_{IN}$  (1.985)

# Small-Signal RF Amplifier

## VSWR KELUARAN



$$VSWR_{OUT} = \frac{1 + |\Gamma_b|}{1 - |\Gamma_b|}$$

$$\Gamma_b = \frac{Z_b - Z_o}{Z_b + Z_o}$$

$$|\Gamma_b| = \sqrt{1 - M_L}$$
$$M_L = \frac{(1 - |\Gamma_L|^2) \cdot (1 - |\Gamma_{OUT}|^2)}{|1 - \Gamma_{OUT}\Gamma_L|^2}$$

$$|\Gamma_b| = \sqrt{1 - \frac{(1 - |\Gamma_L|^2) \cdot (1 - |\Gamma_{OUT}|^2)}{|1 - \Gamma_{OUT}\Gamma_L|^2}}$$
$$|\Gamma_b| = \left| \frac{\Gamma_{OUT} - \Gamma_L *}{1 - \Gamma_{OUT}\Gamma_L} \right|$$

# Small-Signal RF Amplifier

## KEMANTAPAN PENGUAT RF

### 1. Mantap tanpa syarat (Unconditionally Stable)

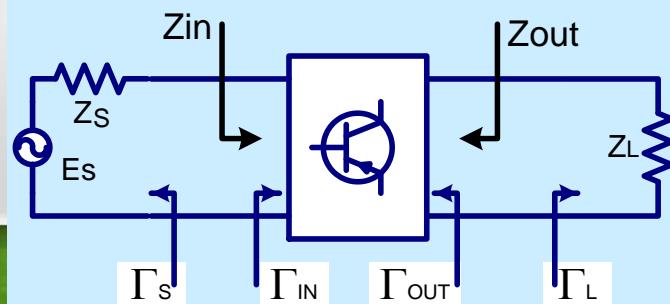
Suatu penguat dinyatakan MANTAP TANPA SYARAT, bila terpenuhi  $|\Gamma_{IN}| < 1$  dan  $|\Gamma_{OUT}| < 1$ ; untuk SEMUA harga impedansi sumber dan beban PASIF ( $|\Gamma_s| < 1$  dan  $|\Gamma_L| < 1$ )

### 2. Mantap bersyarat (Conditionally Stable, Potentially Unstable)

Suatu penguat dinyatakan MANTAP BERSYARAT, bila terpenuhi  $|\Gamma_{IN}| < 1$  dan  $|\Gamma_{OUT}| < 1$ ; untuk SEJUMLAH harga impedansi sumber dan beban PASIF OSILASI terjadi pada penguat, jika pada terminal masukan atau keluarannya, terdapat RESISTANSI NEGATIF, yaitu bila  $|\Gamma_{IN}| > 1$  atau  $|\Gamma_{OUT}| > 1$ . (- $R_{IN}$  = resistansi negatif)

Sebagai contoh, jika impedansi masukan :  $Z_{IN} = -R_{IN} + jX_{IN}$

$$|\Gamma_{IN}| = \left| \frac{-R_{IN} + jX_{IN} - Z_o}{-R_{IN} + jX_{IN} + Z_o} \right| = \left| \frac{(R_{IN} + Z_o)^2 + X_{IN}^2}{(Z_o - R_{IN})^2 + X_{IN}^2} \right|^{\frac{1}{2}} > 1$$



$$I = \frac{E_s}{(R_s - R_{IN}) + j(X_{IN} + X_s)}$$

# Small-Signal RF Amplifier

## KEMANTAPAN PENGUAT RF

Pada satu frekuensi tertentu bisa terjadi :

$$\left. \begin{array}{l} R_s - R_{IN} = 0 \\ X_{IN} + X_s = 0 \end{array} \right\} I = \infty$$

Berdasarkan kepada koefisien refleksi, penguat yang MANTAP TANPA SYARAT akan terpenuhi bila :

$$1. |\Gamma_s| < 1$$

$$3. |\Gamma_{OUT}| = \left| S_{22} + \frac{S_{12} \cdot S_{21} \cdot \Gamma_s}{1 - S_{11} \cdot \Gamma_s} \right| < 1$$

$$2. |\Gamma_L| < 1$$

$$4. |\Gamma_{IN}| = \left| S_{11} + \frac{S_{12} \cdot S_{21} \cdot \Gamma_L}{1 - S_{22} \cdot \Gamma_L} \right| < 1$$

Pada penguat MANTAP BERSYARAT, harga  $|\Gamma_s|$  dan  $|\Gamma_L|$  yang memberikan kemantapan dapat ditentukan dengan menggunakan **PROSEDUR GRAFIS pada SMITH CHART**.

Tempat kedudukan  $\Gamma_s$  dan  $\Gamma_L$  yang menghasilkan  $|\Gamma_{OUT}| = 1$  dan  $|\Gamma_{IN}| = 1$  ditentukan dulu :

$$|\Gamma_{IN}| = \left| S_{11} + \frac{S_{12} \cdot S_{21} \cdot \Gamma_L}{1 - S_{22} \cdot \Gamma_L} \right| = 1$$

$$\left| \Gamma_L - \frac{(S_{22} - \Delta \cdot S_{11}^*)^*}{|S_{22}|^2 - |\Delta|^2} \right| = \left| \frac{S_{12} \cdot S_{21}}{|S_{22}|^2 - |\Delta|^2} \right| \quad \text{dimana } \Delta = S_{11} \cdot S_{22} - S_{12} \cdot S_{21}$$

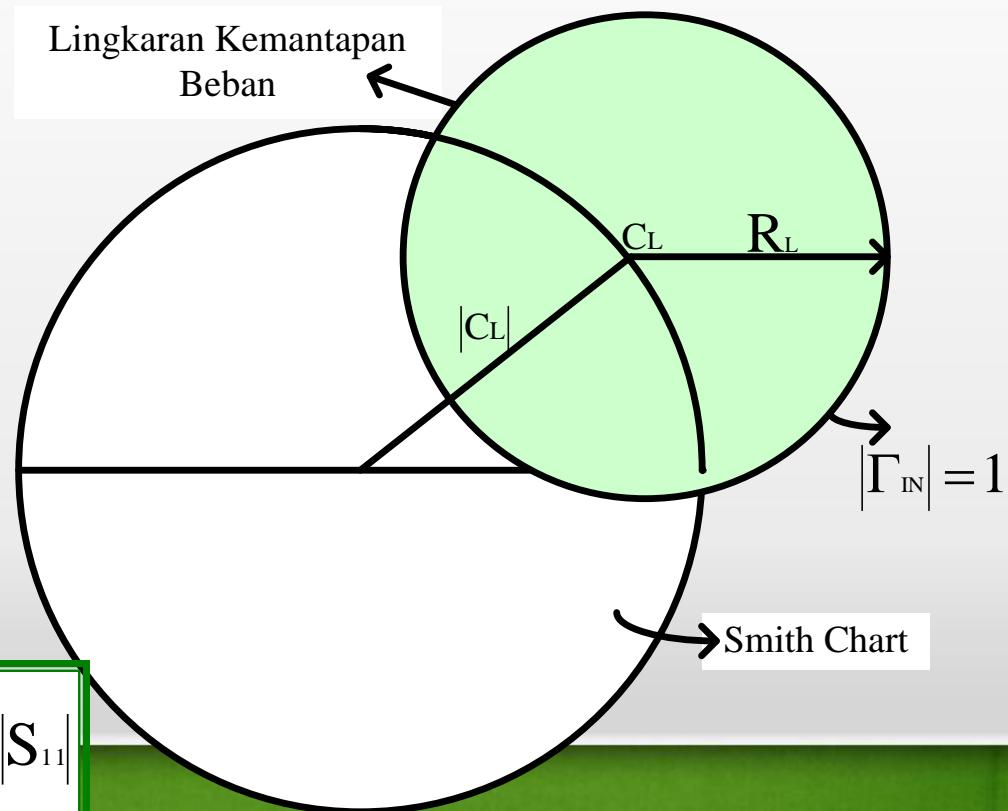
# Small-Signal RF Amplifier

Persamaan diatas merupakan persamaan lingkaran beban

(tempat kedudukan  $\Gamma_L$  untuk  $|\Gamma_{IN}| = 1$ ):

$$\left\{ \begin{array}{l} R_L = \left| \frac{\mathbf{S}_{12} \cdot \mathbf{S}_{21}}{|\mathbf{S}_{22}|^2 - |\Delta|^2} \right| \rightarrow \text{jari-jari} \\ C_L = \frac{(\mathbf{S}_{22} - \Delta \cdot \mathbf{S}_{11}^*)^*}{|\mathbf{S}_{22}|^2 - |\Delta|^2} \rightarrow \text{titik pusat lingkaran} \end{array} \right.$$

Bagaimana menentukan daerah  $\Gamma_L$  yang MANTAP ?



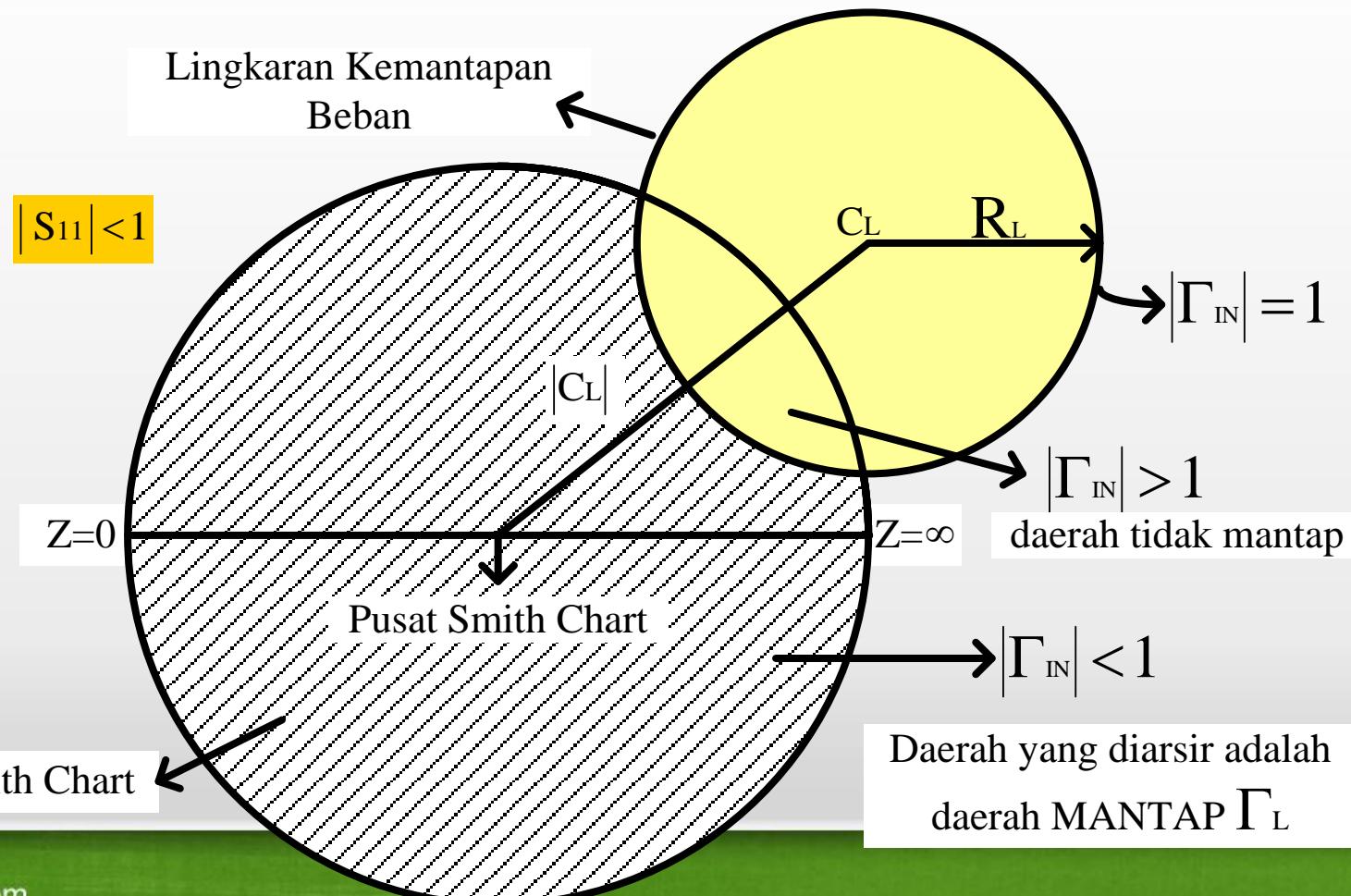
Jika

$$Z_L = Z_o \rightarrow \Gamma_L = \frac{Z_L - Z_o}{Z_L + Z_o} = 0 \Rightarrow |\Gamma_{IN}| = |\mathbf{S}_{11}|$$

# Small-Signal RF Amplifier

➤ Jadi bila  $|S_{11}| < 1$ , maka  $|\Gamma_{IN}| < 1$ , untuk  $\Gamma_L = 0$  ( $Z_L = Z_0$ )

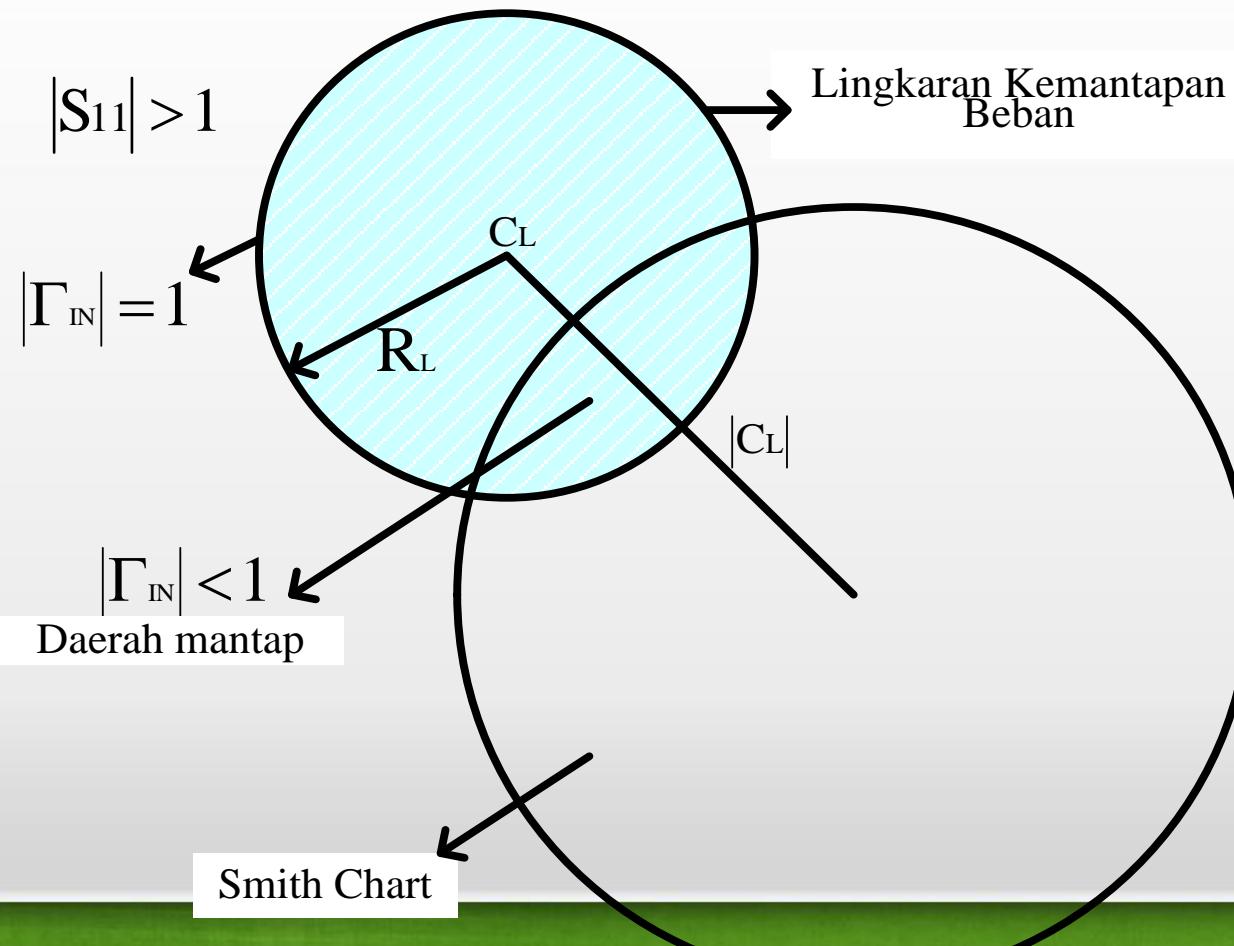
→ daerah yang mengandung titik pusat Smith Chart adalah daerah mantap



# Small-Signal RF Amplifier

➤ Jadi jika  $|S_{11}| > 1$ , maka  $|\Gamma_{IN}| > 1$  untuk  $\Gamma_L = 0$  ( $Z_L = Z_0$ )

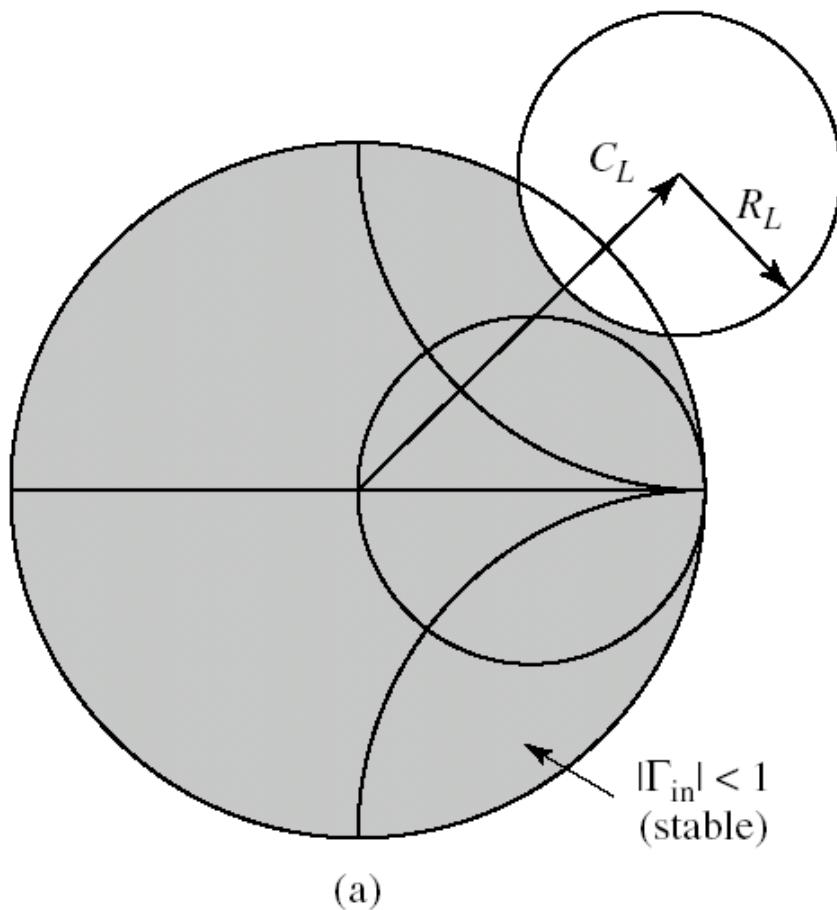
→ daerah yang mengandung titik pusat Smith Chart adalah daerah tidak mantap



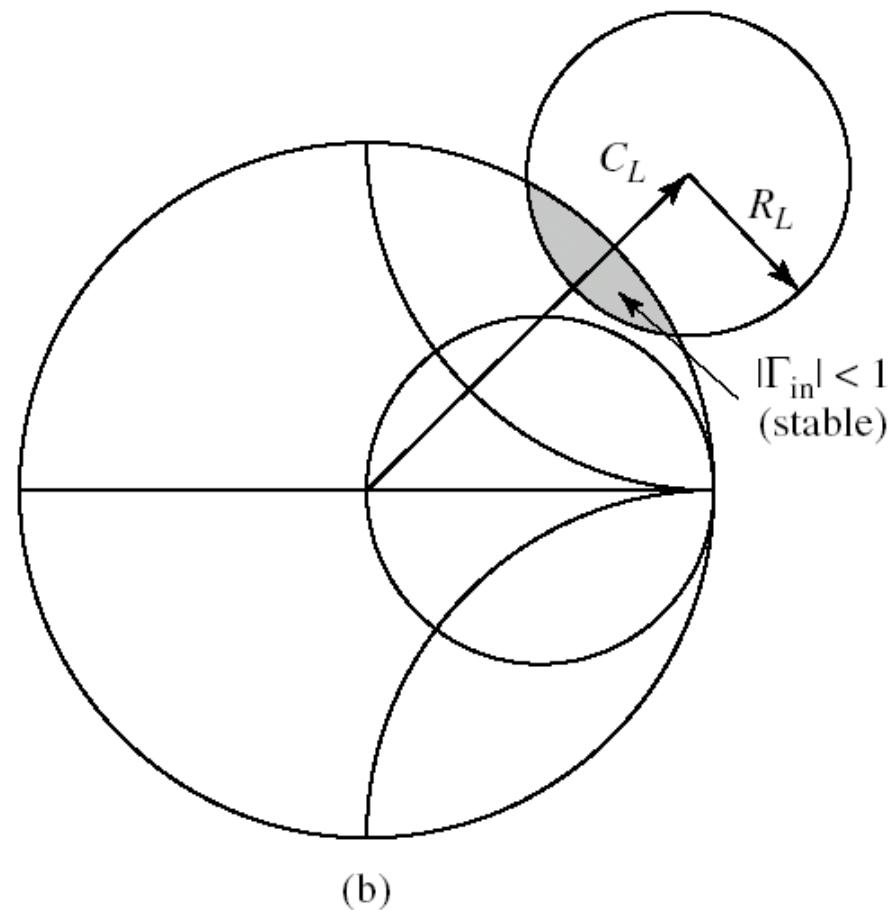
# Small-Signal RF Amplifier

Figure 11-5 (p. 544)

*Microwave Engineering, 3<sup>rd</sup> Edition, by David M Pozar*  
Load (Output) stability circles for a conditionally stable device.  
(a)  $|S_{11}| < 1$ . (b)  $|S_{11}| > 1$ .



(a)



(b)

$$|\Gamma_{\text{OUT}}| = \left| S_{22} + \frac{S_{12} \cdot S_{21} \cdot \Gamma_s}{1 - S_{11} \cdot \Gamma_s} \right| = 1$$

$$\left| \Gamma_s - \frac{(S_{11} - \Delta \cdot S_{22}^*)^*}{|S_{11}|^2 - |\Delta|^2} \right| = \left| \frac{S_{12} \cdot S_{21}}{|S_{11}|^2 - |\Delta|^2} \right| \quad \text{dimana : } \Delta = S_{11} \cdot S_{22} - S_{12} \cdot S_{21}$$

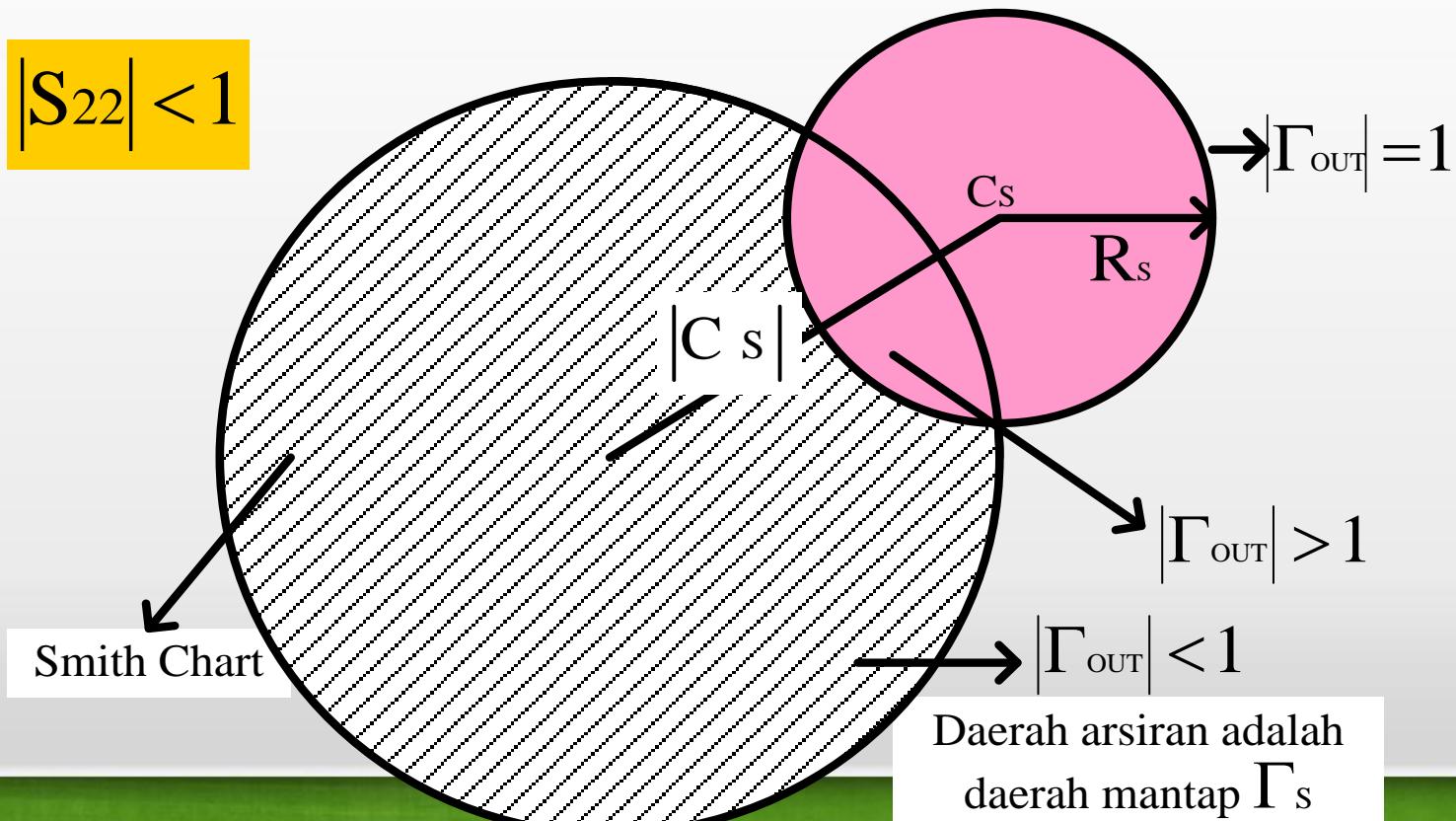
Persamaan diatas merupakan persamaan lingkaran sumber (tempat kedudukan  $\Gamma_s$  untuk  $|\Gamma_{\text{OUT}}| = 1$ ):

$$\begin{cases} R_s = \frac{S_{12} \cdot S_{21}}{|S_{11}|^2 - |\Delta|^2} \\ C_s = \frac{(S_{11} - \Delta \cdot S_{22}^*)^*}{|S_{11}|^2 - |\Delta|^2} \end{cases}$$

$\rightarrow$  jari - jari

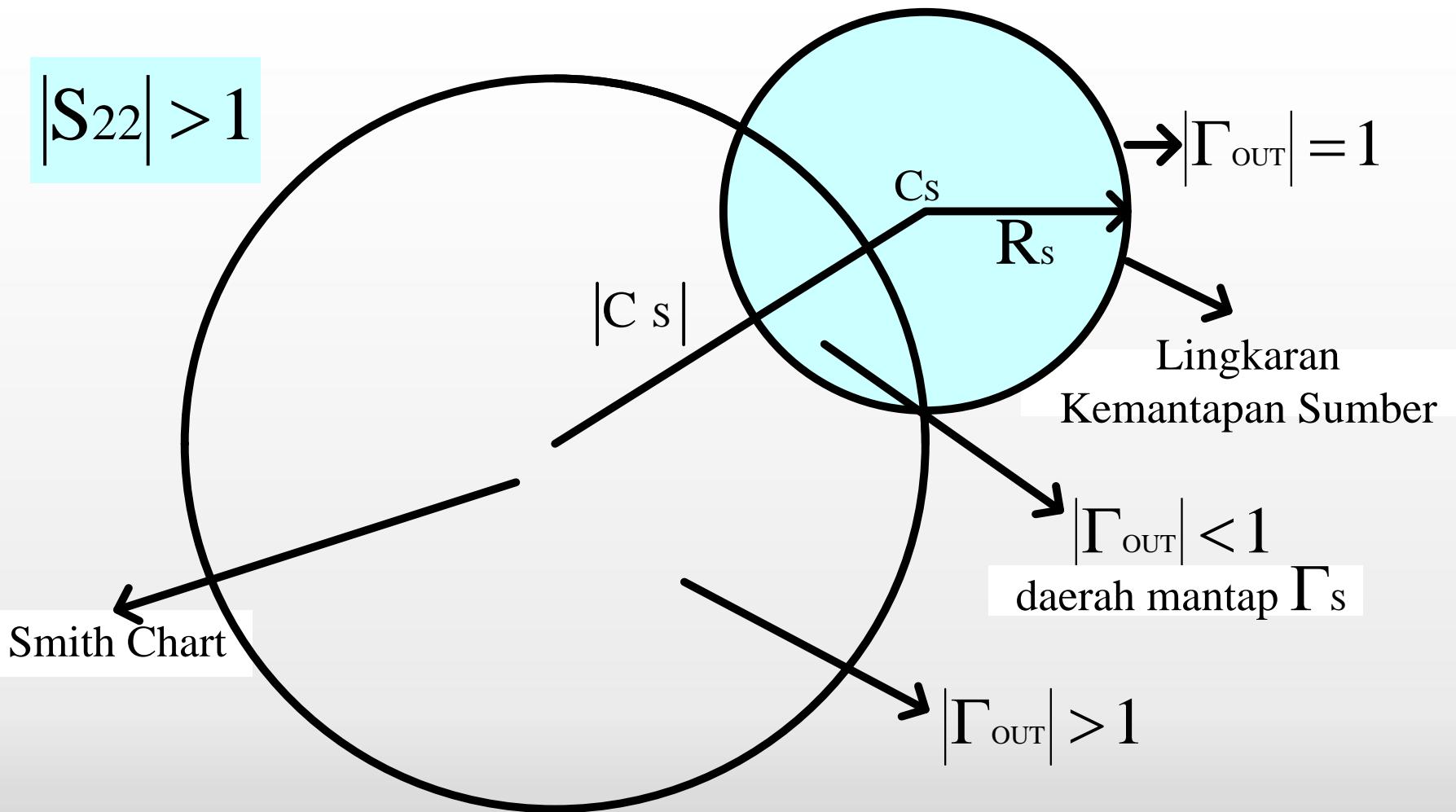
$\rightarrow$  titik pusat lingkaran

$$|S_{22}| < 1$$



Daerah arsiran adalah  
daerah mantap  $\Gamma_s$

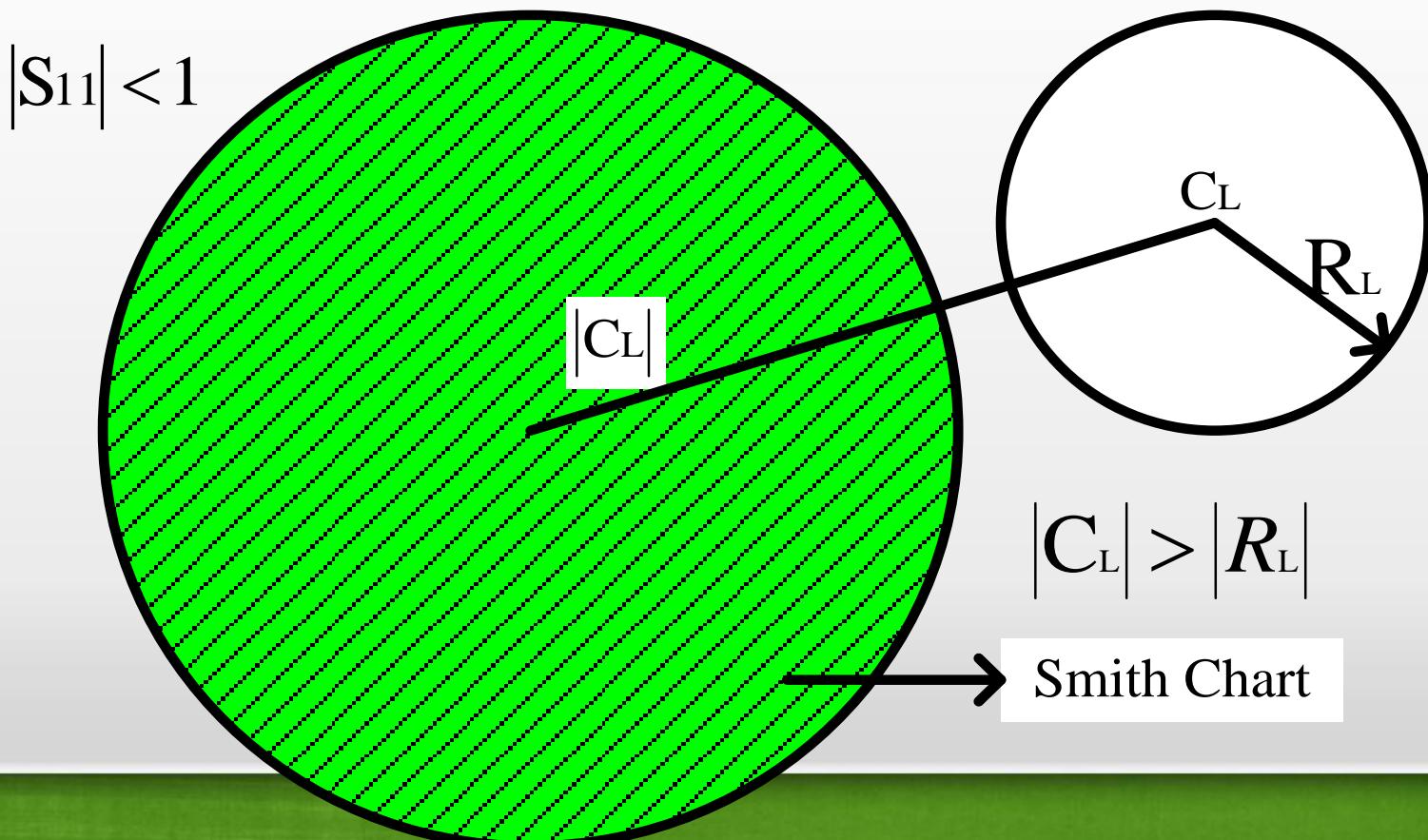
# Small-Signal RF Amplifier



# Small-Signal RF Amplifier

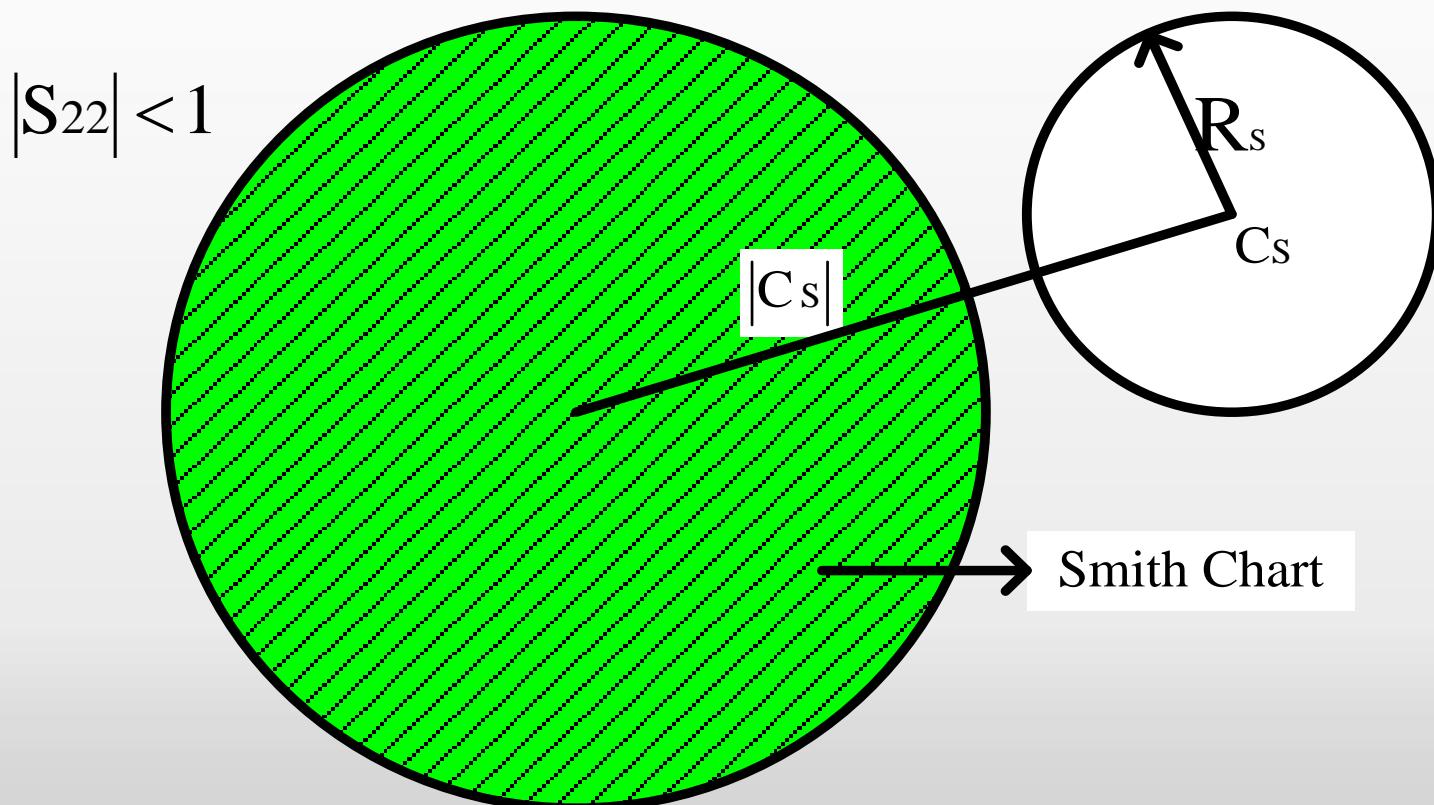
Kondisi mantap "TANPA SYARAT" untuk semua sumber atau beban dapat ditulis dengan :

$$|\mathbf{C}_L| - R_L | > 1 \quad \text{untuk} \quad |\mathbf{S}_{11}| < 1$$



# Small-Signal RF Amplifier

$$|C_s| - R_s > 1 \quad \text{untuk} \quad |S_{22}| < 1$$



# Small-Signal RF Amplifier

## FAKTOR KEMANTAPAN K

$$K = \frac{1 - |S_{11}|^2 - |S_{22}|^2 + |\Delta|^2}{2|S_{12} \cdot S_{21}|} > 1 \quad \text{dimana } \Delta = S_{11} \cdot S_{22} - S_{12} \cdot S_{21}$$

$$1 - |S_{11}|^2 > |S_{12} \cdot S_{21}| \quad 1 - |S_{22}|^2 > |S_{12} \cdot S_{21}|$$

kondisi cukup dan perlu untuk memperoleh KEMANTAPAN TANPA SYARAT :

$$K > 1 \quad |S_{11}| < 1 \quad 1 - |S_{11}|^2 > |S_{12} \cdot S_{21}|$$

$$|S_{22}| < 1 \quad 1 - |S_{22}|^2 > |S_{12} \cdot S_{21}|$$

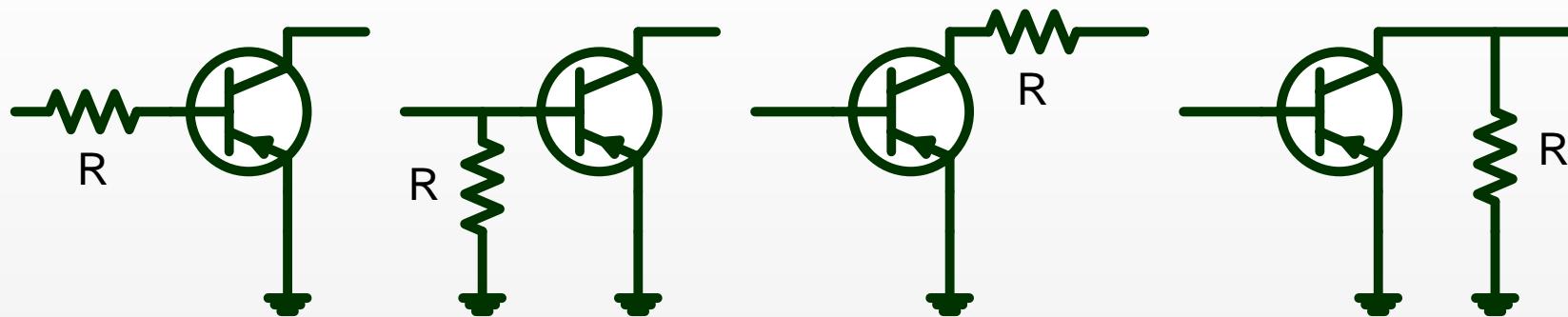
atau cukup dengan :

$$\left. \begin{array}{l} |\Delta| < 1 \\ \text{dan} \\ K > 1 \end{array} \right\}$$

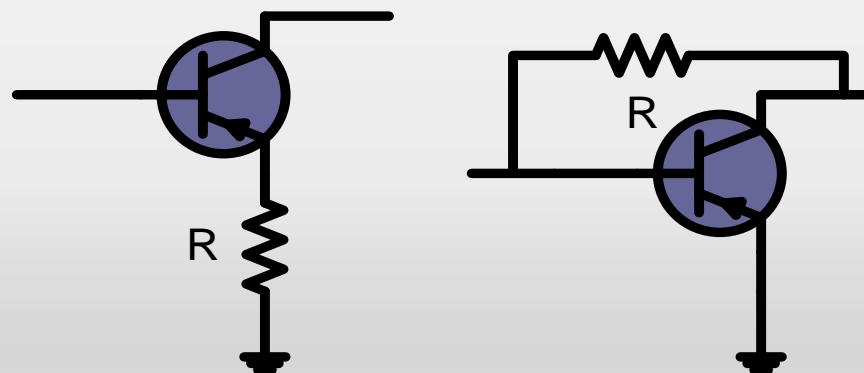
# Small-Signal RF Amplifier

**KONDISI TIDAK MANTAP → KONDISI MANTAP TANPA SYARAT :**

1. dengan pembebanan resistif



2. dengan umpan balik



# Small-Signal RF Amplifier

## LATIHAN SOAL

1. Suatu transistor jenis GaAs MESFET dengan parameter s, diukur pada  $V_{ds} = 5$  V dan  $I_{ds} = 40$  mA,  $f = 9$  GHz, referensi 50 ohm:

$$S_{11}=0,65 <-154^0$$

$$S_{12}=0,02 <40^0$$

$$S_{21}=2,04 <185^0$$

$$S_{22}=0,55 <-30^0$$

$$\Gamma_s = 0,38 <25^0$$

Tentukan:

1. factor Delta  $\Delta$  (0,332 < 171<sup>0</sup>)
2. Faktor stabilitas K (4,72)
3. Koefisien refleksi keluaran  $\Gamma_{out}$  (0,56 < -40,7<sup>0</sup>)
4. GA (Available Power Gain) (6,94dB)

Ref: *Microwave Circuit Analysis & Amplifier Design*, by Samuel Y.Liao, Exp. 3-4-2.

# Small-Signal RF Amplifier

## LATIHAN SOAL (LANJUTAN)

2. Parameter S untuk HP HFET-102 GaAs FET pada frekuensi 2 GHz, dicatuh dengan tegangan biasing  $V_{gs} = 0$  dengan  $Z_0=50 \Omega$  sebagai berikut:

$$S_{11}=0.894 <-60.6^0$$

$$S_{12}=0,020 <62.4^0$$

$$S_{21}=3.122 <123.6^0$$

$$S_{22}=0,781 <-27.6^0$$

Tentukan kestabilan transistor tersebut dengan menghitung K dan  $\Delta$ , kemudian plot-kan daerah kestabilannya !

Solusi:  $\Delta = 0.696 < -83^0$

$K = 0,607 \Rightarrow$  potentially unstable

$C_L = 1.363 < 47^0$

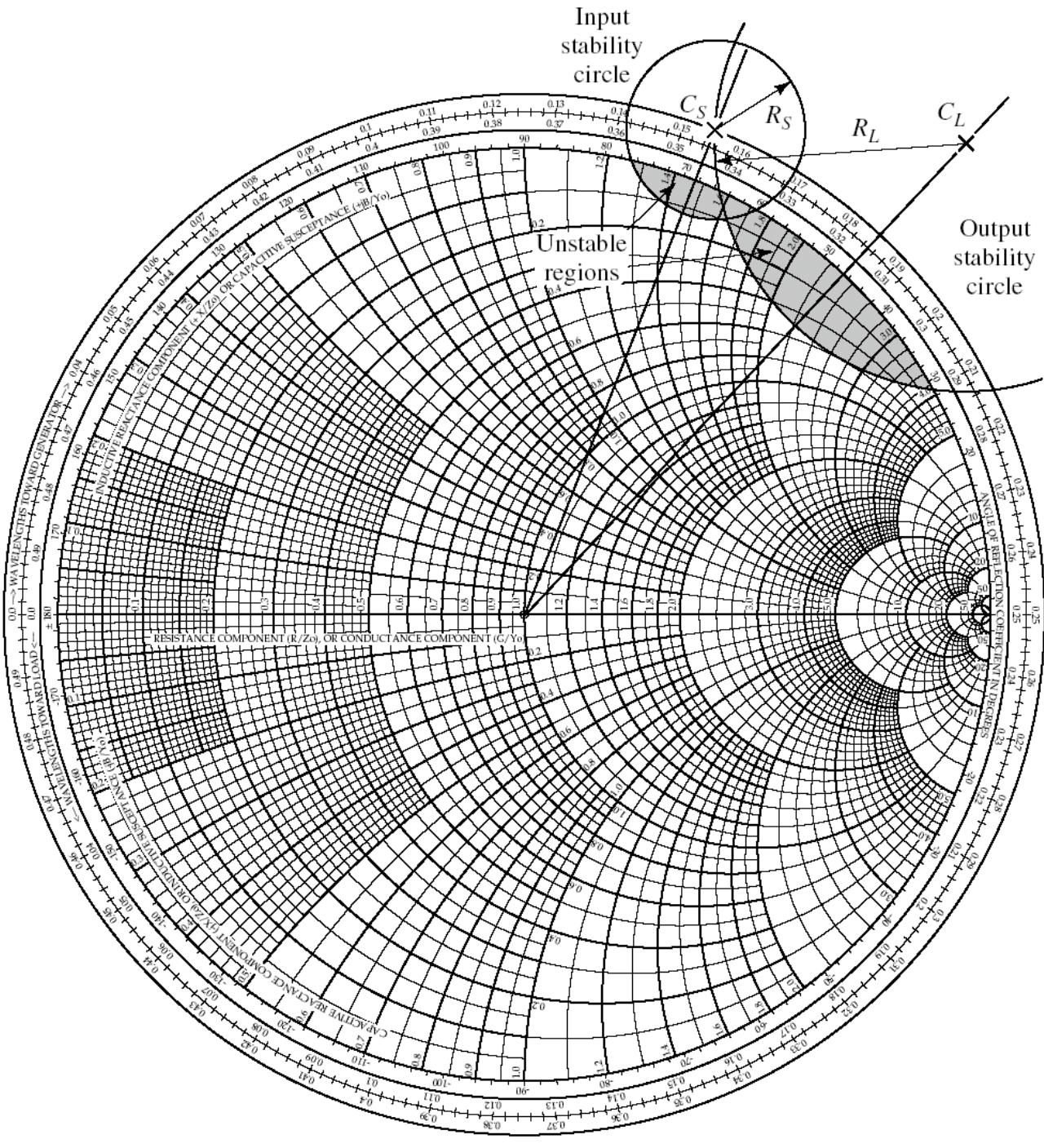
$R_L = 0.50$

$C_S = 1.132 < 68^0$

$R_S = 0.199$

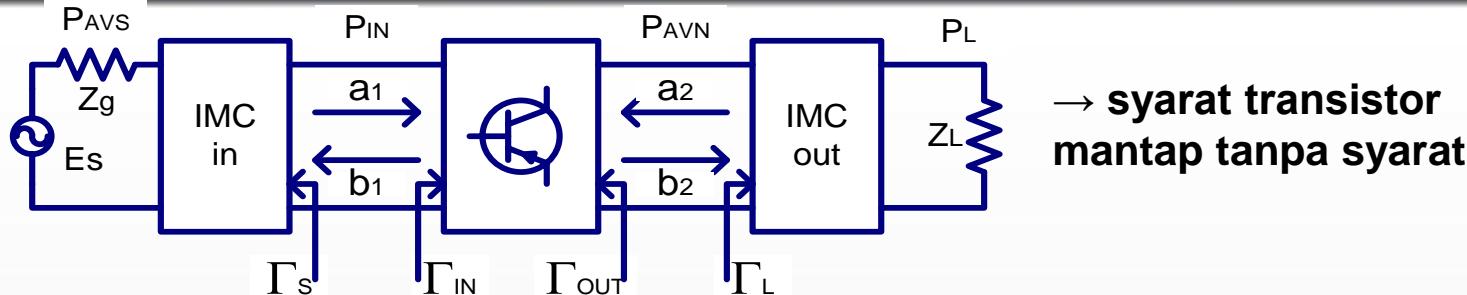
Ref: *Microwave Engineering, 2<sup>nd</sup> Edition*, by David M Pozar, Exp 11.2

- Plot lingkaran kestabilan sumber dan beban



# Small-Signal RF Amplifier

## PERANCANGAN UNTUK GAIN MAKSUMUM (CONJUGATE MATCHING)



Jika dipilih :  $\left. \begin{array}{l} \Gamma_{IN} = \Gamma_s * \\ \Gamma_{OUT} = \Gamma_L * \end{array} \right\}$  diperoleh penguatan daya transducer ( $G_T$ ) maksimum

$$\Gamma_s * = S_{11} + \frac{S_{12} \cdot S_{21} \cdot \Gamma_L}{1 - S_{22} \cdot \Gamma_L}$$

$$\Gamma_L * = S_{22} + \frac{S_{12} \cdot S_{21} \cdot \Gamma_s}{1 - S_{11} \cdot \Gamma_s}$$

$$\Rightarrow \Gamma_{SM} = \frac{B_1 \pm \sqrt{B_1^2 - 4|C_1|^2}}{2C_1}$$

$$\Rightarrow \Gamma_{LM} = \frac{B_2 \pm \sqrt{B_2^2 - 4|C_2|^2}}{2C_2}$$

dimana :  $B_1 = 1 + |S_{11}|^2 - |S_{22}|^2 - |\Delta|^2$   
 $C_1 = S_{11} - \Delta \cdot S_{22} *$

$$B_2 = 1 + |S_{22}|^2 - |S_{11}|^2 - |\Delta|^2$$

$$C_2 = S_{22} - \Delta \cdot S_{11} *$$

$$G_{T, MAX} = \frac{1}{1 - |\Gamma_{SM}|^2} |S_{21}|^2 \frac{1 - |\Gamma_{LM}|^2}{|1 - S_{22} \cdot \Gamma_{LM}|^2}$$

atau

$$G_{T, MAX} = \frac{|S_{21}|}{|S_{12}|} (K - \sqrt{K^2 - 1})$$

# Small-Signal RF Amplifier

## LATIHAN SOAL

- Rancanglah suatu penguat dengan gain maximum pada frekuensi 4 GHz menggunakan single-stub matching! Transistor GaAs FET mempunyai parameter S dengan  $Z_0=50 \Omega$  sebagai berikut:

$$S_{11}=0.72 < -116^0$$

$$S_{12}=0,03 < 57^0$$

$$S_{21}=2.60 < 76^0$$

$$S_{22}=0,73 < -54^0$$

Ref: *Microwave Engineering, 2<sup>nd</sup> Edition*, by David M Pozar, Exp 11.3

**Solusi:**

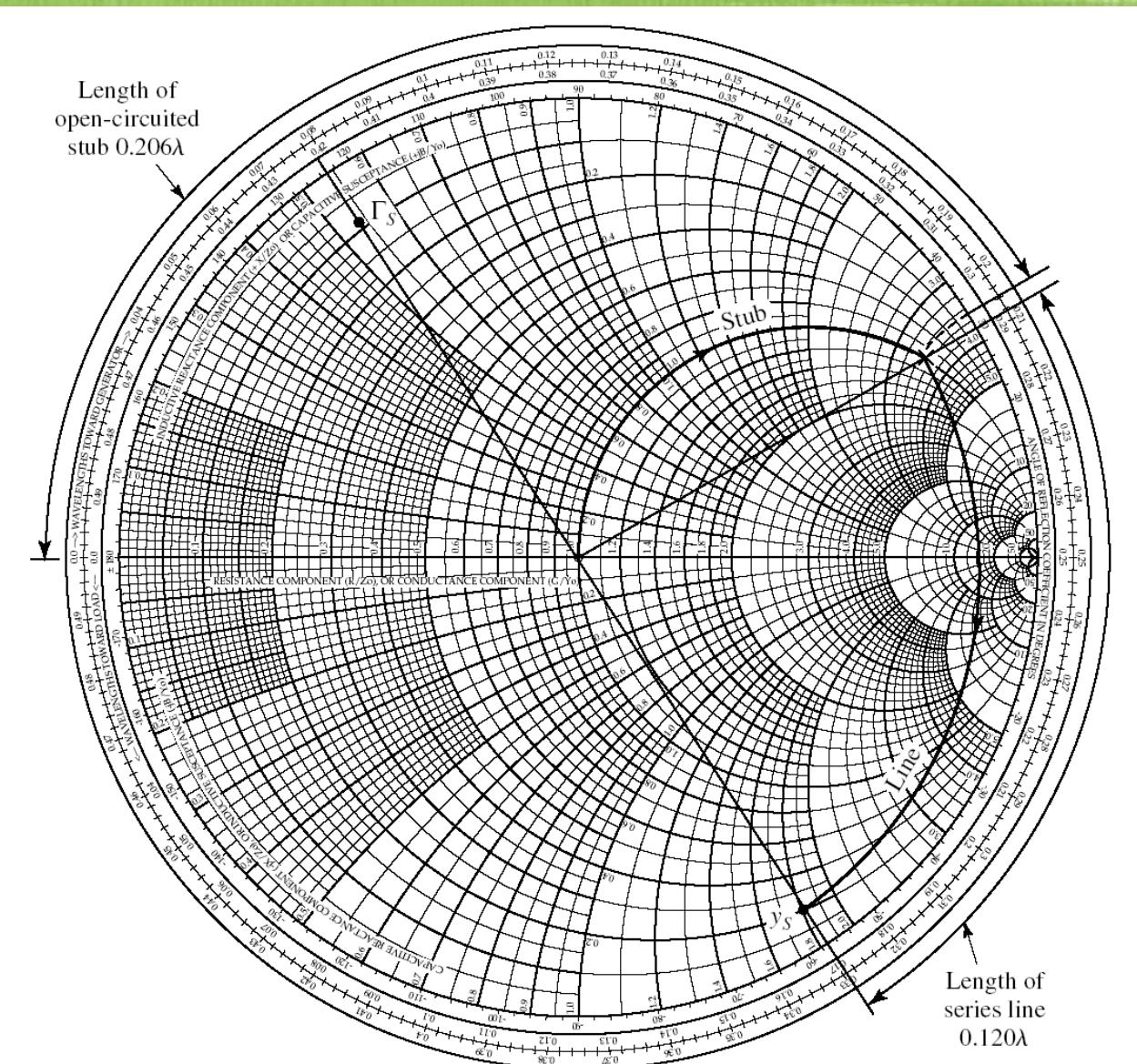
$$\Delta = 0.488 < -162^0 \quad K = 1,195 \Rightarrow \text{unconditionally stable}$$

$$\Gamma_{SM} = 0.872 < 123^0 \quad \Gamma_{LM} = 0.876 < 61^0$$

$$G_{T,\max} = 16.7 \text{ dB}$$

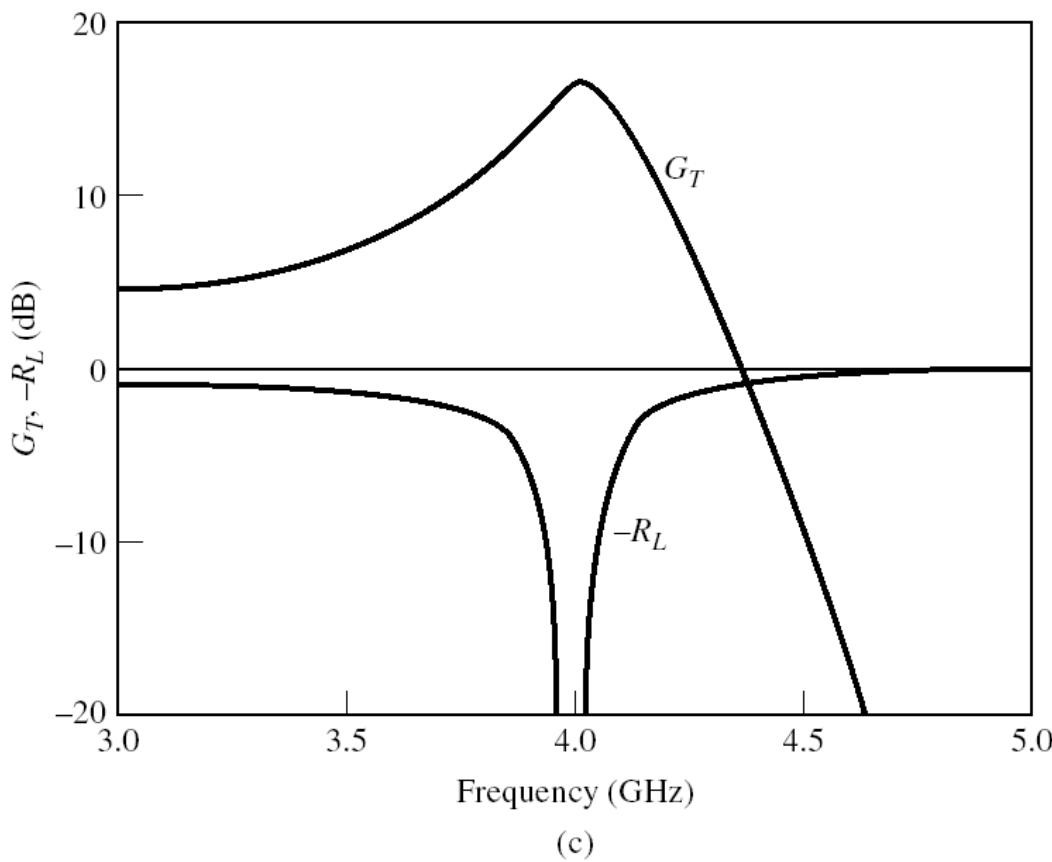
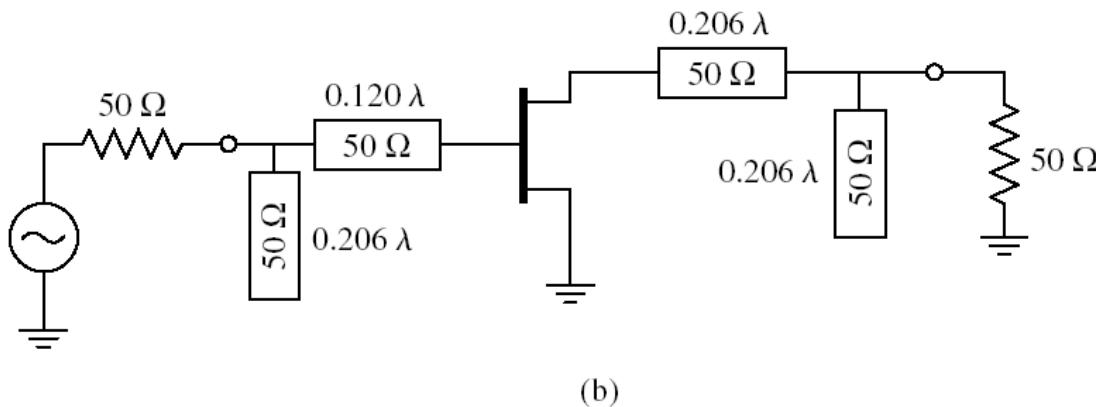
Perhatikan rangkaian penyesuai impedansi sbb:

# Circuit design and frequency response for the transistor amplifier of Example 11.3. (a) Smith chart for the design of the input matching network.



(a)

(b) RF circuit. (c) Frequency response.



# Small-Signal RF Amplifier

PERANCANGAN PENGUAT DENGAN GP DITENTUKAN:

Lingkaran Gp (Operating Power Gain) Konstan

## a. KASUS KEMANTAPAN TANPA SYARAT

$$G_P = \frac{1}{1 - |\Gamma_{IN}|^2} |S_{21}|^2 \frac{1 - |\Gamma_L|^2}{|1 - S_{22} \cdot \Gamma_L|^2} = |S_{21}|^2 \cdot g_P$$

dimana: 
$$g_P = \frac{1 - |\Gamma_L|^2}{1 - |S_{11}|^2 + |\Gamma_L|^2 \cdot (|S_{22}|^2 - |\Delta|^2) - 2 \operatorname{Re}[\Gamma_L \cdot C_2]} \quad C_2 = S_{22} - \Delta \cdot S_{11}^*$$
$$\Delta = S_{11} \cdot S_{22} - S_{12} \cdot S_{21}$$

$$|\Gamma_L|^2 - \left\{ 1 + g_P \cdot (|S_{22}|^2 - |\Delta|^2) \right\} - 2 \cdot g_P \cdot \operatorname{Re}[\Gamma_L \cdot C_2] = 1 - g_P (1 - |S_{11}|^2)$$

$$|\Gamma_L|^2 - \frac{g_P \cdot C_2 \cdot \Gamma_L}{1 + g_P (|S_{22}|^2 - |\Delta|^2)} - \frac{g_P \cdot C_2^* \cdot \Gamma_L^*}{1 + g_P (|S_{22}|^2 - |\Delta|^2)} = \frac{1 - g_P (1 - |S_{11}|^2)}{1 + g_P (|S_{22}|^2 - |\Delta|^2)}$$

→

**titik pusat lingkaran :**

$$C_P = \frac{g_P \cdot C_2^*}{1 + g_P (|S_{22}|^2 - |\Delta|^2)}$$

**jari-jari lingkaran :**

$$R_P = \frac{\left\{ 1 - 2K \cdot |S_{12} \cdot S_{21}| \cdot g_P + |S_{12} \cdot S_{21}|^2 \cdot g_P^2 \right\}^{\frac{1}{2}}}{|1 + g_P (|S_{22}|^2 - |\Delta|^2)|}$$

# Small-Signal RF Amplifier

$G_P$  maksimum terjadi pada  $R_P = 0$ ; artinya :

$$g_{P,MAX} \cdot |S_{12} \cdot S_{21}|^2 - 2K \cdot |S_{12} \cdot S_{21}| \cdot g_{P,MAX} + 1 = 0$$

$$g_{P,MAX} = \frac{1}{|S_{12} \cdot S_{21}|} \left( K - \sqrt{K^2 - 1} \right) = \frac{G_{P,MAX}}{|S_{21}|^2}$$

sehingga

$$G_{P,MAX} = \frac{|S_{21}|}{|S_{12}|} \left( K - \sqrt{K^2 - 1} \right)$$

Prosedur menggunakan lingkaran  $G_P$  konstan :

- 1) Untuk  $G_P$  yang ditentukan, hitung titik pusat dan jari-jari lingkaran  $G_P$  konstan
- 2) Pilih  $\Gamma_L$  yang diinginkan (di lingkaran tersebut)
- 3) Dengan  $\Gamma_L$  tersebut, daya keluaran maksimum diperoleh dengan melakukan conjugate match pada masukan, yaitu  $\Gamma_S = \Gamma_{IN}^*$   
 $\Gamma_S$  ini akan memberikan  $G_T = G_P$

Contoh: Transistor  $S_{11} = 0,641 \angle -171,3^\circ$   $S_{21} = 2,058 \angle 28,5^\circ$   
( $f = 6\text{GHz}$ )  $S_{12} = 0,057 \angle 16,3^\circ$   $S_{22} = 0,572 \angle -95,7^\circ$

**Rancanglah sebuah penguat RF yang mempunyai  $G_P = 9 \text{ dB}$**

**Ref:** Gonzalez, Guillermo; *Microwaves Transistor Amplifier: Analysis & Design*; Prentice Hall, 1984

# Small-Signal RF Amplifier

## Solusi

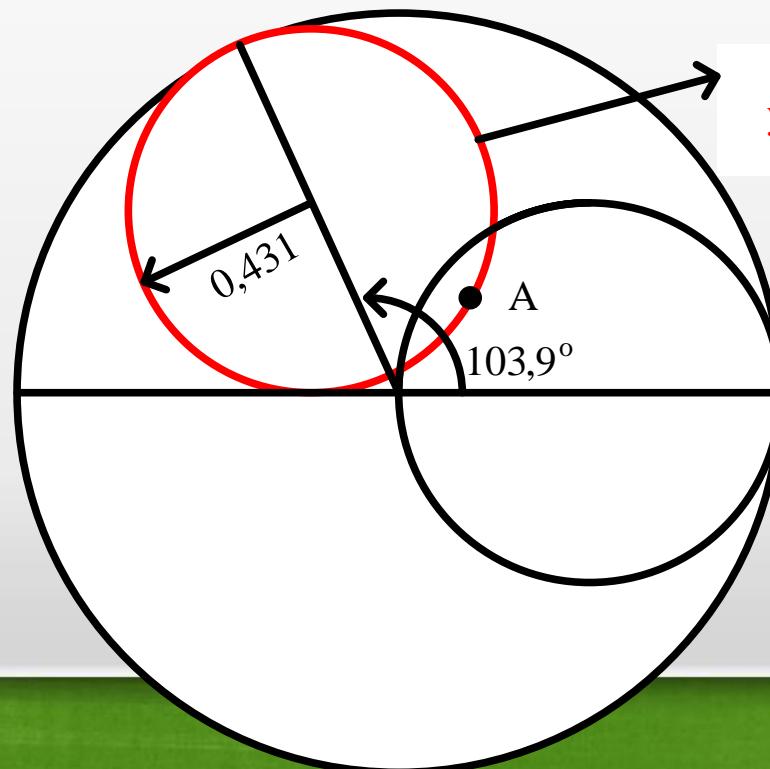
$$|\Delta| = 0,3014 \quad K = 1,504 \quad \rightarrow \text{mantap tanpa syarat}$$

$$|S_{21}|^2 = (2,058)^2 = 4,235 \Rightarrow g_P = \frac{G_P}{|S_{21}|^2} = \frac{7,94}{4,235} = 1,875$$

$$C_2 = 0,3911 \angle -103,9^\circ$$

$$C_P = 0,508 \angle 103,9^\circ \quad R_P = 0,431$$

→ gambar tempat kedudukan  $\Gamma_L$  yang memberikan  $G_P = 9 \text{ dB}$



tempat kedudukan  $\Gamma_L$   
yang memberikan  $G_P = 9 \text{ dB}$

Kita pilih  $\Gamma_L = 0,36 \angle 47,5^\circ$   
(titik A)

$\Gamma_s$  yang memberikan  
daya keluar maksimum

$$\Gamma_s = \Gamma_{IN} * = \left[ S_{11} + \frac{S_{12} \cdot S_{21} \cdot \Gamma_L}{1 - S_{22} \Gamma_L} \right]^*$$

$$\Gamma_s = 0,629 \angle 175,51^\circ$$

# Small-Signal RF Amplifier

## LATIHAN SOAL

1. Suatu transistor jenis GaAs MESFET dengan parameter s, diukur pada  $V_{ds} = 5$  V dan  $I_{ds} = 40$  mA,  $f = 9$  GHz, referensi 50 ohm:

$$S_{11}=0,65 <-154^0$$

$$S_{12}=0,02 <40^0$$

$$S_{21}=2,04 <185^0$$

$$S_{22}=0,55 <-30^0$$

Tentukan:

1. factor Delta  $\Delta$  (0,332 < 171 $^0$ )
2. Faktor stabilitas K (4,72)
3. Carilah  $\Gamma_L$  dan  $\Gamma_S$  Yang manghasilkan  $G_p = 10$  dB !
4. Rancanglah IMC input dan IMC output-nya untuk Hambatan sumber dan beban 50  $\Omega$ !

# Small-Signal RF Amplifier

PERANCANGAN PENGUAT DENGAN GP DITENTUKAN:

Lingkaran G<sub>P</sub> (Operating Power Gain) Konstan

## b. KASUS MANTAP BERSYARAT

Dengan transistor mantap bersyarat, prosedur perancangan untuk G<sub>P</sub> tertentu adalah sebagai berikut:

- 1) Untuk G<sub>P</sub> yang diinginkan, gambar lingkaran G<sub>P</sub> konstan dan lingkaran kemantapan beban. Pilih  $\Gamma_L$  yang berada pada daerah mantap dan tidak terlalu dekat dengan lingkaran kemantapan beban.
- 2) Hitung  $\Gamma_{IN}$  dan tentukan apakah conjugate match pada masukan mungkin. Untuk itu gambar lingkaran kemantapan sumber dan periksa apakah  $\Gamma_s = \Gamma_{IN}^*$  terletak pada daerah mantap.
- 3) Jika  $\Gamma_s = \Gamma_{IN}^*$  tidak terletak pada daerah mantap atau terletak pada daerah mantap namun terlalu dekat dengan lingkaran kemantapan sumber, pilih  $\Gamma_L$  yang lain dan ulangi langkah 1) dan 2)

**Catt:** nilai  $\Gamma_s$  dan  $\Gamma_L$  sebaiknya tidak terlalu dekat dengan lingkaran kemantapan, karena ketidakmantapan (OSILASI) dapat terjadi oleh variasi nilai komponen yang digunakan sehingga  $\Gamma_L$  dan  $\Gamma_s$  masuk ke daerah tidak mantap.

Contoh: Transistor     $S_{11}=0,5 \angle -180^\circ$      $S_{21}=2,5 \angle 70^\circ$

(f = 6 GHz)     $S_{12}=0,08 \angle 30^\circ$      $S_{22}=0,8 \angle -100^\circ$

**Rancanglah sebuah penguat RF yang mempunyai G<sub>P</sub> = 10 dB**

Ref: Gonzalez, Guillermo; *Microwaves Transistor Amplifier: Analysis & Design*; Prentice Hall, 1984

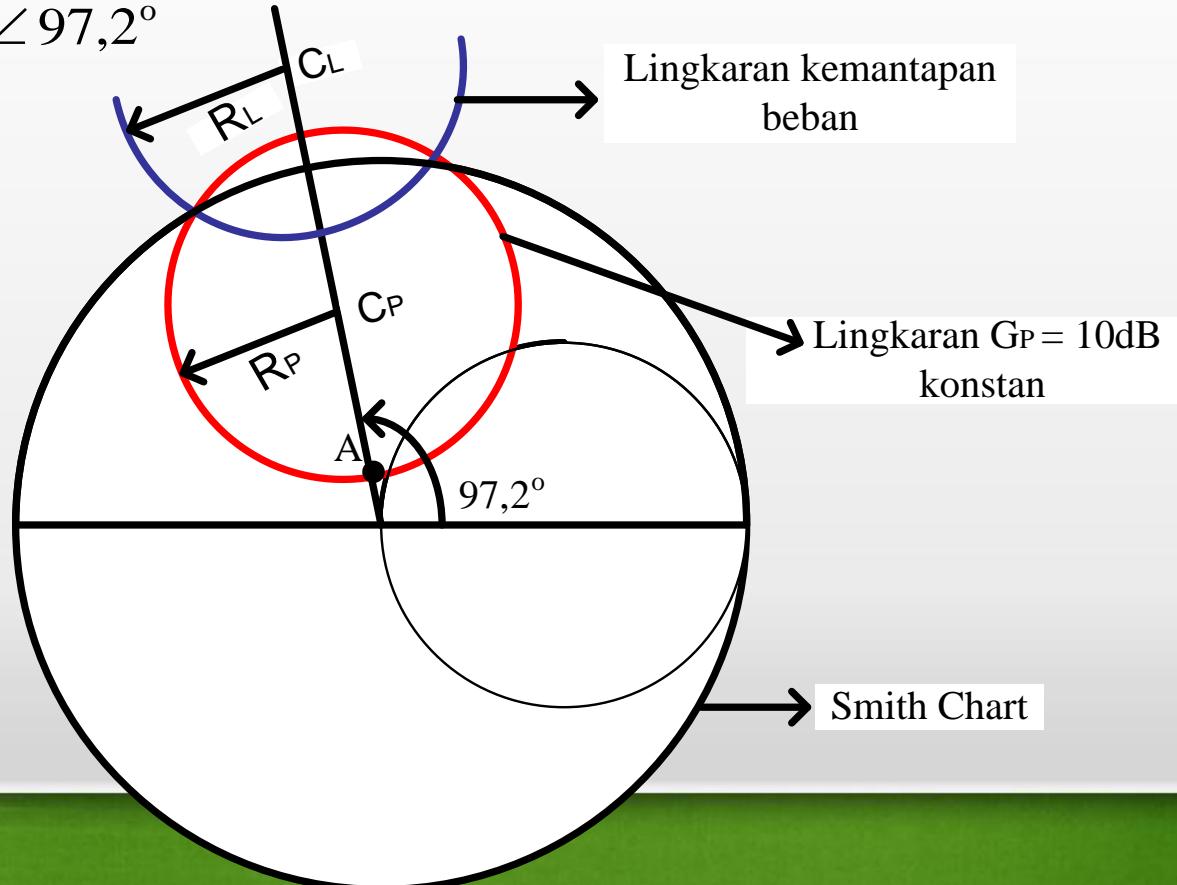
# Small-Signal RF Amplifier

$$\Delta = 0,223 \angle 62,12^\circ$$

$K = 0,4 \rightarrow$  transistor mantap bersyarat

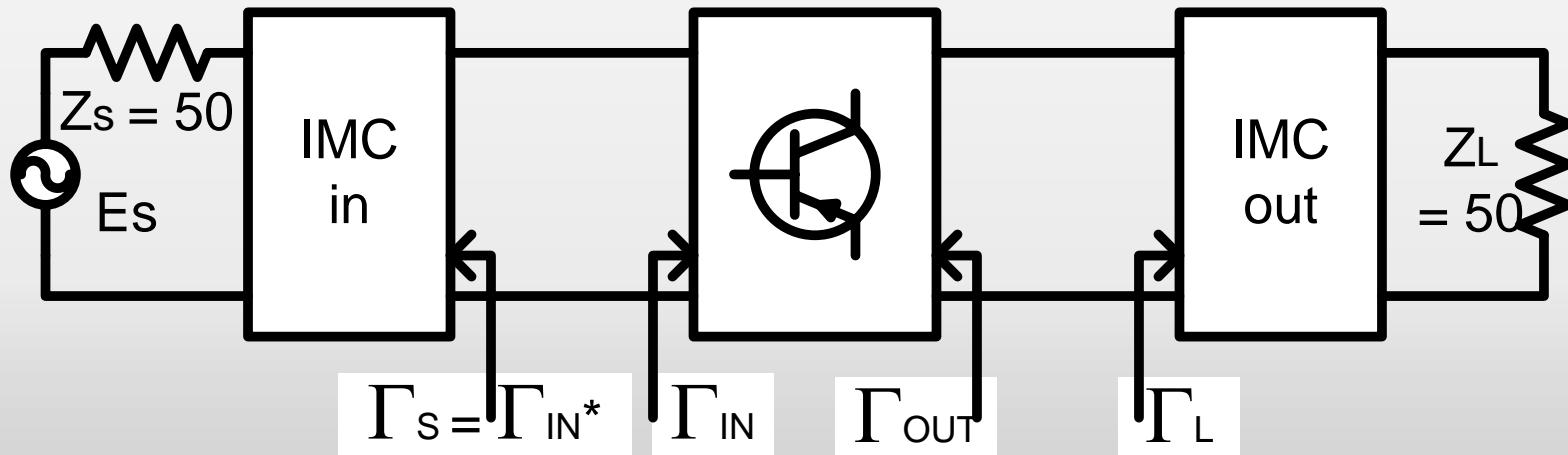
$$G_P = 10\text{dB} \quad \left\{ \begin{array}{l} C_P = 0,572 \angle 97,2^\circ \\ R_P = 0,473 \\ C_L = 1,18 \angle 97,2^\circ \\ R_L = 0,34 \end{array} \right.$$

Solusi :



# Small-Signal RF Amplifier

- Oleh karena  $|S_{11}| < 1$ , daerah MANTAP berada diluar lingkaran kemantapan BEBAN
- Pilih titik A →  $\Gamma_L = 0,1 \angle 97,2^\circ \rightarrow \Gamma_s = \Gamma_{IN}^* = 0,52 \angle 179,32^\circ$
- Lingkaran kemantapan sumber :  $C_s = 1,67 \angle 171^\circ \quad R_s = 1,0$   
 $\Gamma_s$  diatas harus diperiksa apakah berada di daerah MANTAP
- Daerah mantap berada di luar lingkaran kemantapan sumber →  $\Gamma_s$  berada di daerah mantap, maka  $\Gamma_s$  dapat digunakan



# Small-Signal RF Amplifier

PERANCANGAN PENGUAT DENGAN GA DITENTUKAN:

Lingkaran  $G_A$  (Available Power Gain) Konstan

## a) KASUS MANTAP TANPA SYARAT

$$G_A = \frac{1}{1 - |\Gamma_{\text{OUT}}|^2} |S_{21}|^2 \frac{1 - |\Gamma_s|^2}{|1 - S_{11}\Gamma_s|^2} = |S_{21}|^2 \cdot g_A$$

$$g_A = \frac{G_A}{|S_{21}|^2} = \frac{1 - |\Gamma_s|^2}{1 - |S_{22}|^2 + |\Gamma_s|^2 \cdot (|S_{11}|^2 - |\Delta|^2) - 2 \operatorname{Re}[\Gamma_s \cdot C_1]}$$

$$C_1 = S_{11} - \Delta \cdot S_{22}^*$$

Dengan cara yang sama seperti lingkaran  $G_P$  konstan, diperoleh :

Lingkaran  $G_A$  konstan :

titik pusat lingkaran :

$$C_A = \frac{g_A \cdot C_1^*}{1 + g_A (|S_{11}|^2 - |\Delta|^2)}$$

jari-jari lingkaran :

$$R_A = \frac{\left\{ 1 - 2K |S_{12} \cdot S_{21}| g_A + |S_{12} \cdot S_{21}|^2 \cdot g_A^2 \right\}^{1/2}}{|1 + g_A (|S_{11}|^2 - |\Delta|^2)|}$$

Semua  $\Gamma_s$  pada lingkaran, memberikan suatu  $G_A$  yang diinginkan. Untuk  $G_A$  tertentu, daya keluaran maksimum diperoleh dengan  $\Gamma_L = \Gamma_{\text{OUT}}^*$

→  $\Gamma_L$  ini memberikan  $G_T = G_A$

# Small-Signal RF Amplifier

PERANCANGAN PENGUAT DENGAN GA DITENTUKAN:

Lingkaran **G<sub>A</sub>** (Available Power Gain) Konstan

## b) KASUS MANTAP BERSYARAT

1. Untuk GA yang diinginkan, gambar lingkaran  $G_A$  konstan dan lingkaran kemantapan sumber. Pilih  $\Gamma_S$  yang berada di daerah mantap dan tidak terlalu dekat dengan lingkaran kemantapan sumber.
2. Hitung  $\Gamma_{OUT}$  dan periksa apakah conjugate match mungkin, untuk itu gambar lingkaran kemantapan beban dan periksa apakah  $\Gamma_L = \Gamma_{OUT}^*$  berada di daerah mantap.
3. Jika  $\Gamma_L = \Gamma_{OUT}^*$  tidak berada pada daerah mantap atau terlalu dekat dengan lingkaran kemantapan beban, pilih  $\Gamma_S$  (atau **G<sub>A</sub>**) yang lain dan ulangi langkah 1) dan 2).

**Catt:** nilai  $\Gamma_S$  dan  $\Gamma_L$  sebaiknya tidak terlalu dekat dengan lingkaran kemantapan, karena ketidakmantapan (OSILASI) dapat terjadi oleh variasi nilai komponen yang digunakan sehingga  $\Gamma_L$  dan  $\Gamma_S$  masuk ke daerah tidak mantap.

# Small-Signal RF Amplifier

## LATIHAN SOAL

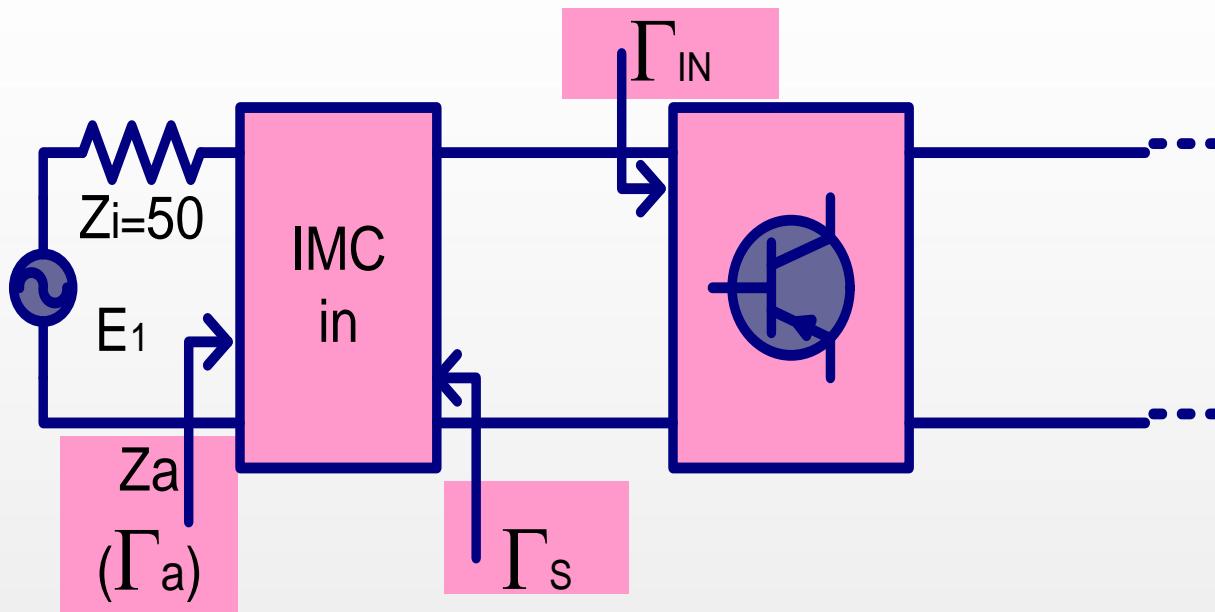
Contoh: Transistor       $S_{11} = 0,5 \angle -180^\circ$        $S_{21} = 2,5 \angle 70^\circ$   
( $f = 6 \text{ GHz}$ )       $S_{12} = 0,08 \angle 30^\circ$        $S_{22} = 0,8 \angle -100^\circ$

**Rancanglah sebuah penguat RF yang mempunyai  $G_A = 10 \text{ dB}$ !  
Rancang pula IMC-in dan IMC-out dengan menggunakan stub paralel-open circuit!**

# Small-Signal RF Amplifier

PERANCANGAN PENGUAT DENGAN VSWR DITENTUKAN:

- $VSWR_{IN}$  konstan



$$VSWR_{IN} = \frac{1 + |\Gamma_a|}{1 - |\Gamma_a|} \rightarrow |\Gamma_a| = \left| \frac{\Gamma_{IN} - \Gamma_s^*}{1 - \Gamma_{IN} \cdot \Gamma_s} \right|$$

→ dapat diturunkan lingkaran  $VSWR_{IN}$  konstan

# Small-Signal RF Amplifier

PERANCANGAN PENGUAT DENGAN VSWR DITENTUKAN:

Lingkaran  $VSWR_{IN}$  konstan :

titik pusat lingkaran :

$$Cvi = \frac{\Gamma_{IN}^* \cdot (1 - |\Gamma a|^2)}{1 - |\Gamma a \cdot \Gamma_{IN}|^2}$$

jari-jari lingkaran :

$$Rvi = \frac{|\Gamma a| \cdot (1 - |\Gamma_{IN}|^2)}{1 - |\Gamma a \cdot \Gamma_{IN}|^2}$$

Pada kasus mantap tanpa syarat dan beberapa kasus mantap bersyarat,

$\Gamma_s$  dapat dipilih  $= \Gamma_{IN}^*$ ; untuk memperoleh  $VSWR_{IN} = 1$ .

Bila  $VSWR_{IN} = 1 \rightarrow |\Gamma a| = 0$   $\begin{cases} Cvi = \Gamma_{IN}^* \\ Rvi = 0 \end{cases}$

Jadi  $\Gamma_s = \Gamma_{IN}^*$  memberikan  $|\Gamma a| = 0 \rightarrow VSWR_{IN} = 1$

# Small-Signal RF Amplifier

PERANCANGAN PENGUAT DENGAN VSWR DITENTUKAN:

- $VSWR_{out}$  konstan

DENGAN CARA YANG SAMA :

$$VSWR_{OUT} = \frac{1 + |\Gamma_b|}{1 - |\Gamma_b|} \rightarrow |\Gamma_b| = \left| \frac{\Gamma_{OUT} - \Gamma_L *}{1 - \Gamma_{OUT} \cdot \Gamma_L} \right|$$

Lingkaran  $VSWR_{OUT}$  konstan :

titik pusat lingkaran :

$$C_{VO} = \frac{\Gamma_{OUT} * . (1 - |\Gamma_b|^2)}{1 - |\Gamma_b \cdot \Gamma_{OUT}|^2}$$

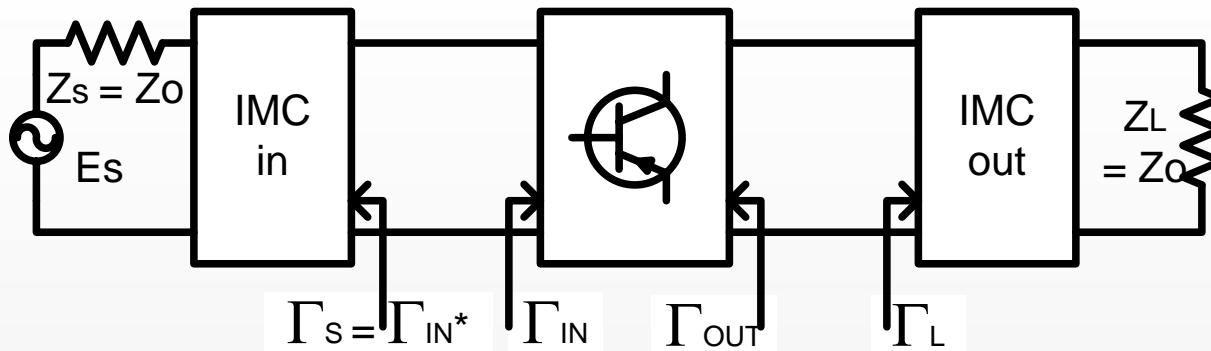
jari-jari lingkaran :

$$R_{VO} = \frac{|\Gamma_b| . (1 - |\Gamma_{OUT}|^2)}{1 - |\Gamma_b \cdot \Gamma_{OUT}|^2}$$

# Small-Signal RF Amplifier

PERANCANGAN PENGUAT DENGAN NOISE FIGURE DITENTUKAN:

Lingkaran Noise figure/Faktor Derau Konstan:



$$F = F_{MIN} + \frac{4 R_n |\Gamma_s - \Gamma_{opt}|^2}{(1 - |\Gamma_s|^2) |1 + \Gamma_{opt}|^2}$$

dimana:  $F_{MIN}$  = faktor derau minimum komponen aktif

$R_n$  = equivalent normalized noise resistance ( $= R_N/Z_0$ )

$\Gamma_{opt}$  = koefisien refleksi sumber yang dapat menghasilkan faktor derau minimum

# Small-Signal RF Amplifier

Ambil satu harga  $F = F_i$

$$\frac{|\Gamma_s - \Gamma_{opt}|^2}{1 - |\Gamma_s|^2} = \frac{F_i - F_{MIN}}{4 r_n} \cdot |1 + \Gamma_{opt}|^2$$

$$N_i = \frac{F_i - F_{MIN}}{4 r_n} \cdot |1 + \Gamma_{opt}|^2 = \text{konstan} \Rightarrow N_i = \frac{|\Gamma_s - \Gamma_{opt}|^2}{1 - |\Gamma_s|^2}$$

$$(\Gamma_s - \Gamma_{opt}) \cdot (\Gamma_{s^*} - \Gamma_{opt}) = N_i - N_i |\Gamma_s|^2$$

$$|\Gamma_s|^2 \cdot (1 + N_i) - 2\operatorname{Re}[\Gamma_s \cdot \Gamma_{opt}^*] + |\Gamma_{opt}|^2 = N_i$$

$$|\Gamma_s|^2 - \frac{2}{1 + N_i} \operatorname{Re}[\Gamma_s \cdot \Gamma_{opt}^*] + \frac{|\Gamma_{opt}|^2}{1 + N_i} = \frac{N_i}{1 + N_i}$$

→ merupakan persamaan lingkaran di bidang  $\Gamma_s$  dan dapat ditulis menjadi :

$$\left| \Gamma_s - \frac{\Gamma_{opt}}{1 + N_i} \right|^2 = \frac{N_i^2 + N_i(1 - |\Gamma_{opt}|^2)}{(1 + N_i)^2}$$

untuk  $N_i$  tertentu, diperoleh lingkaran faktor derau  $F_i$  konstan.

Lingkaran faktor derau:

$$C_{F_i} = \frac{\Gamma_{opt}}{1 + N_i}$$

$$R_{F_i} = \frac{1}{N_i + 1} \sqrt{N_i^2 + N_i(1 - |\Gamma_{opt}|^2)}$$

# Small-Signal RF Amplifier

## LATIHAN SOAL

Suatu transistor dengan parameter S sebagai berikut :

$$S_{11} = 0,552 \angle 169^\circ$$

$$F_{\text{MIN}} = 2,5 \text{dB}$$

$$S_{12} = 0,049 \angle 23^\circ$$

$$\Gamma_{\text{opt}} = 0,475 \angle 166^\circ$$

$$S_{21} = 1,681 \angle 26^\circ$$

$$R_n = 3.5 \Omega$$

$$S_{22} = 0,839 \angle -67^\circ$$

Tentukan lingkaran faktor derau  **$F_i = 2,8 \text{dB}$**  konstan

**Solusi :**

$$N_i = \frac{F_i - F_{\text{MIN}}}{4 R_n} \cdot |1 + \Gamma_{\text{opt}}|^2$$

$$r_n = \frac{R_n}{Z_0} = \frac{3,5}{50} = 0,07$$

$$F_i = 2,8 \text{dB} = 1,905$$

$$F_{\text{MIN}} = 2,5 \text{ dB} = 1,778$$

$$\rightarrow N_i = 0,1378$$

$$C_{F_i} = \frac{\Gamma_{\text{opt}}}{1 + N_i} = 0,417 \angle 166^\circ$$

$$R_{F_i} = 0,312$$

